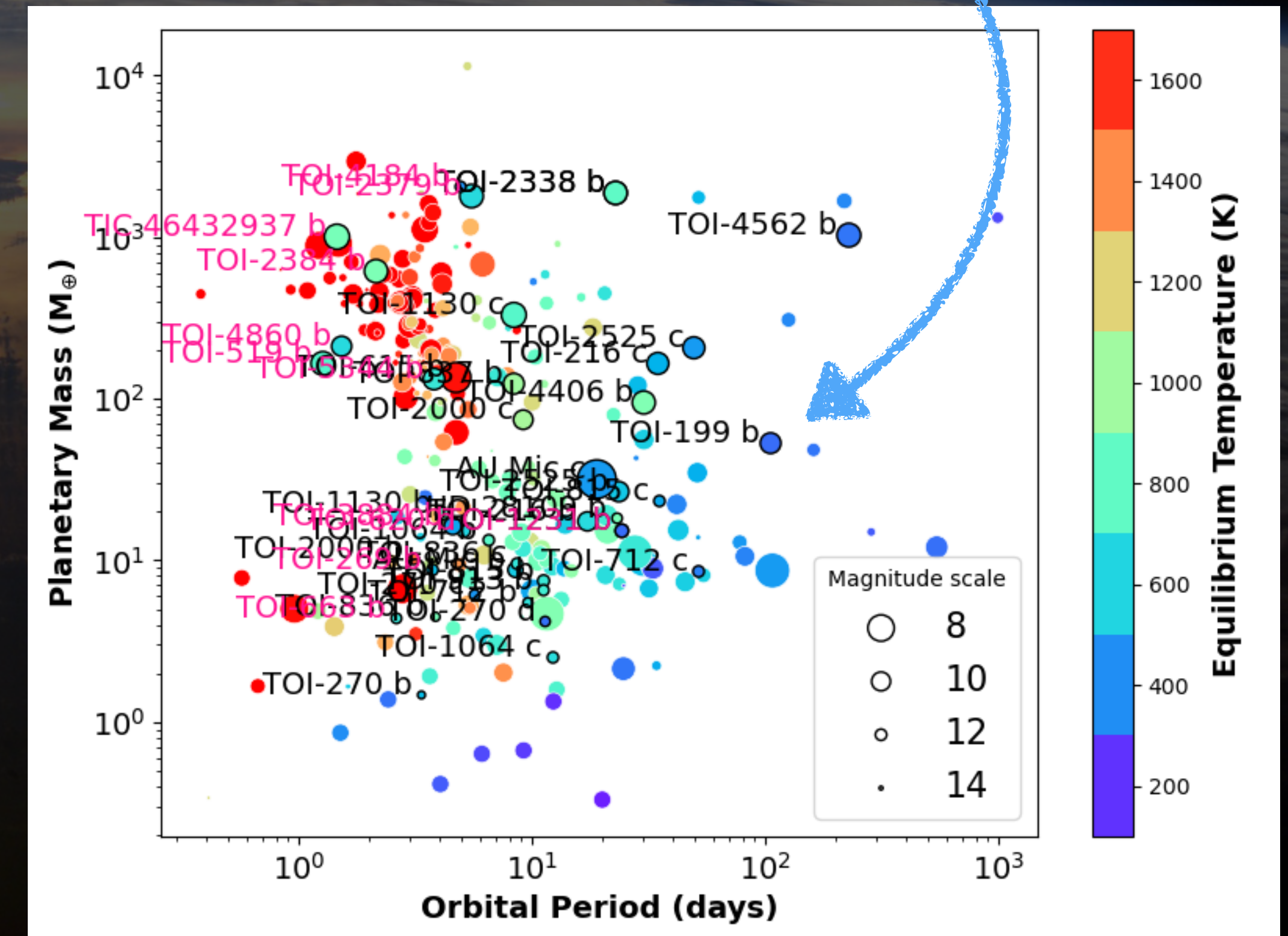
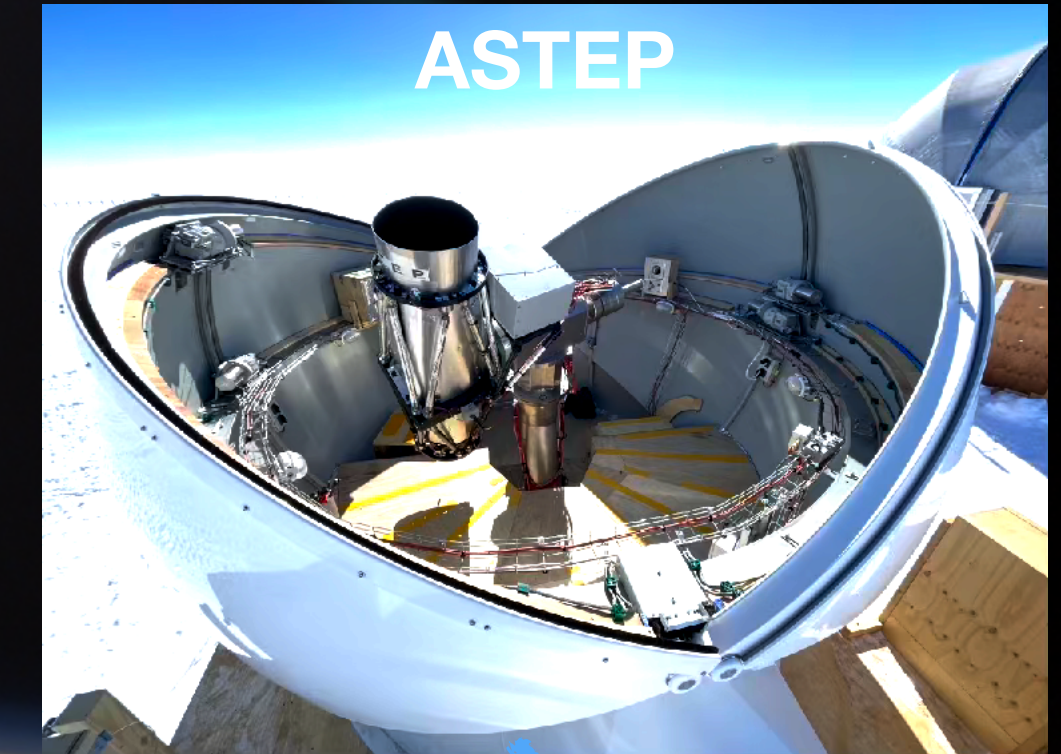


The Importance of Moist Convection Inhibition for Planets in the Habitable Zone

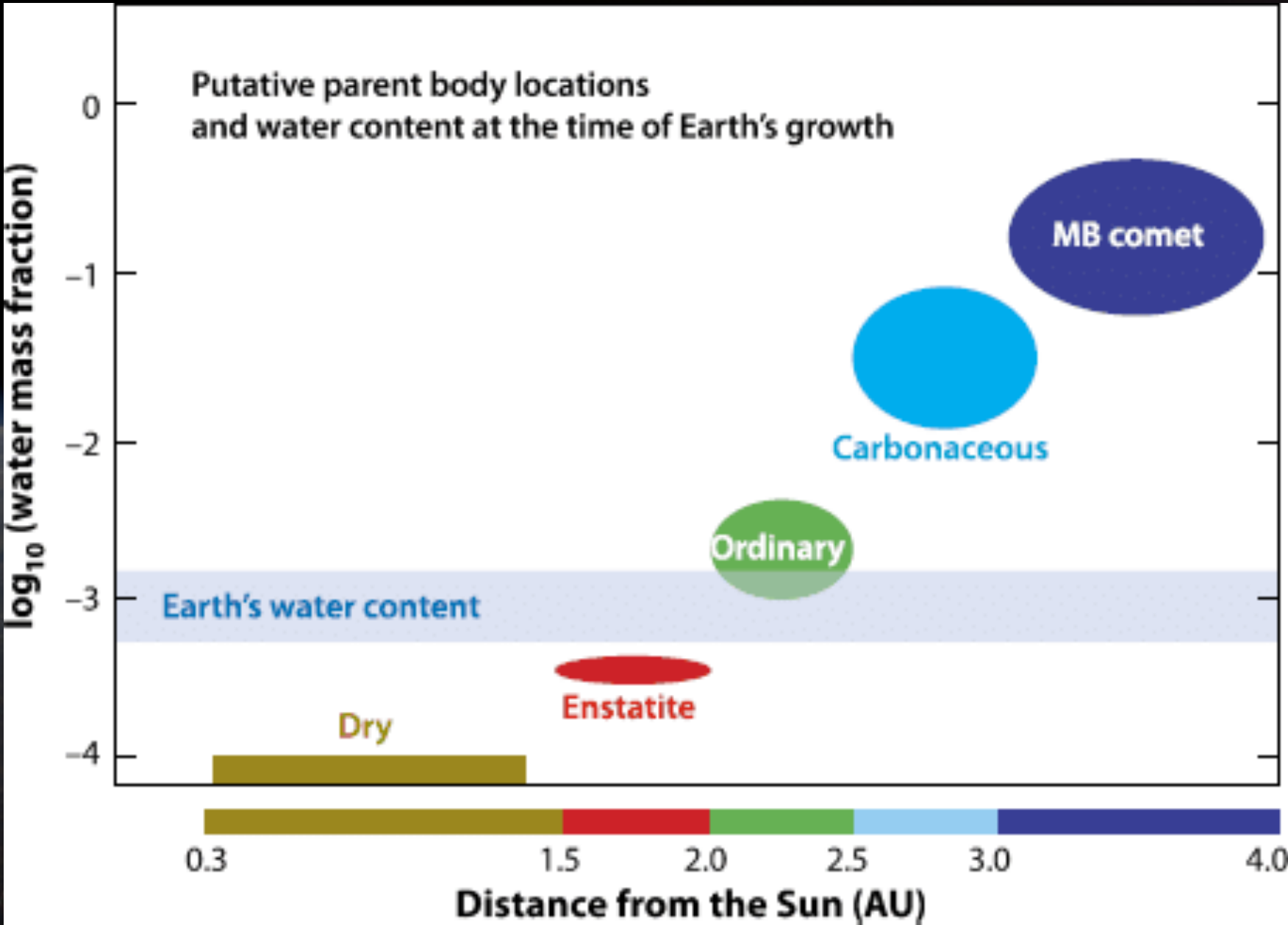
Tristan Guillot
Observatoire de la Côte d'Azur, Nice, France

Planets in the Habitable Zone

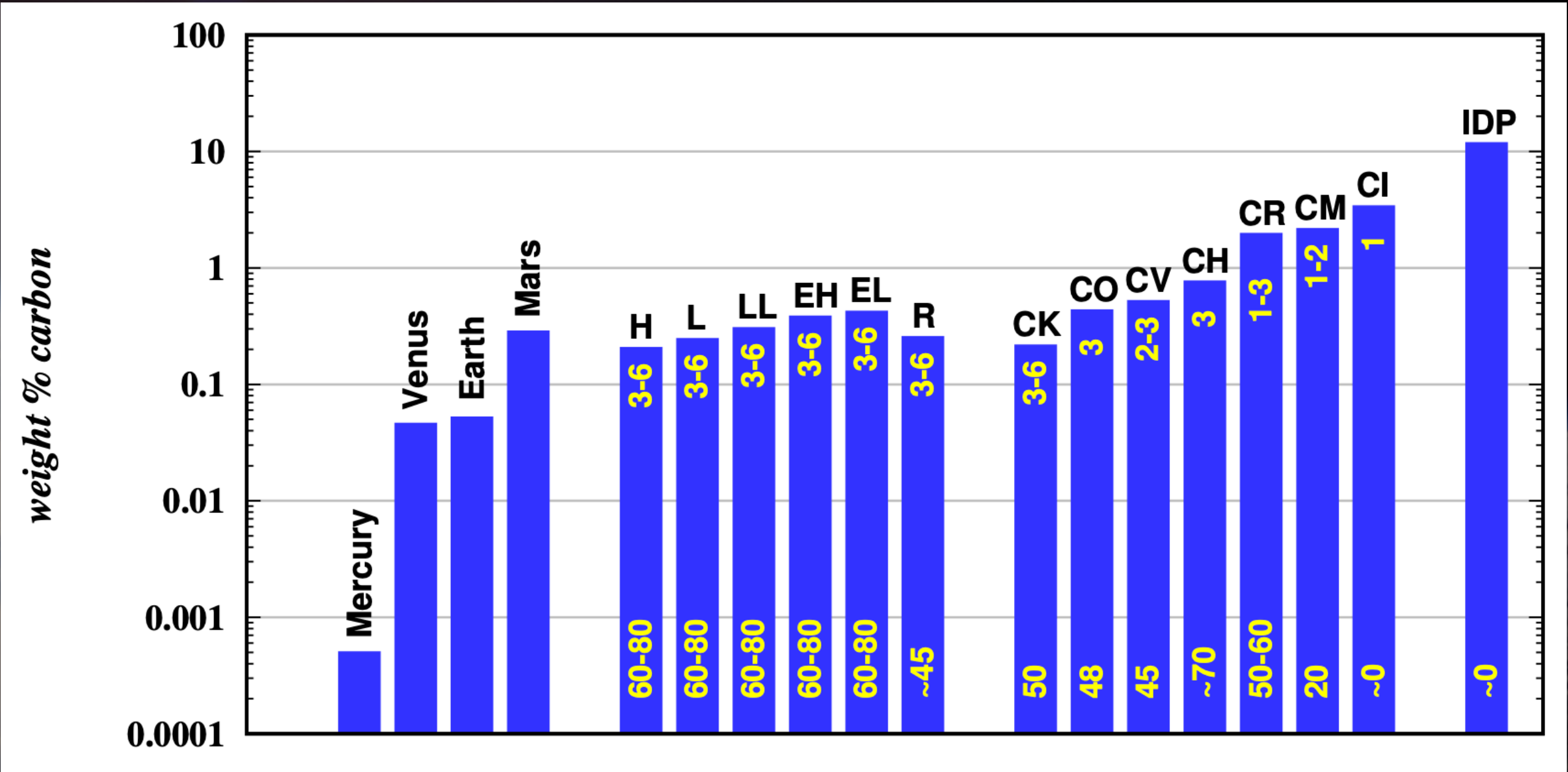
- Will come in all kinds of masses, radii, compositions
 - Earth-like planets, with an H₂O ocean and 1 bar of N₂ and O₂
 - Earth-like planets, with vastly different atmospheres (and perhaps an H₂O ocean)
 - Super-Earths (with perhaps an H₂O ocean)
 - Mini-Neptunes (with perhaps an H₂O ocean)
 - Ice giants (with perhaps an H₂O ocean)
 - Gas giants & brown dwarfs
- Their atmospheres too
 - Different masses and extent:
 - No atmosphere
 - Optically thin to moderately thick atmosphere
 - Abyssal atmosphere
 - Different compositions:
 - Light (with a significant amount of hydrogen)
 - Moderately heavy (with e.g., N₂ or CO₂)



The Earth is dry, carbon-poor and with no molecular hydrogen



Morbidelli et al. (2012)



Gail & Tieloff (2017)

	Geosphere	Hydrosphere	Atmosphere
	Units alongside elements	Units alongside elements	ppm
Hydrogen	0.15 wt% in water, hydrocarbons and as H ₂	10.7 wt%	0.5–1.0 as H ₂ , variable as H ₂ O
Helium	8 ppb	7.2 ppt	5.2
Lithium	20 ppm	0.18 ppm	zero

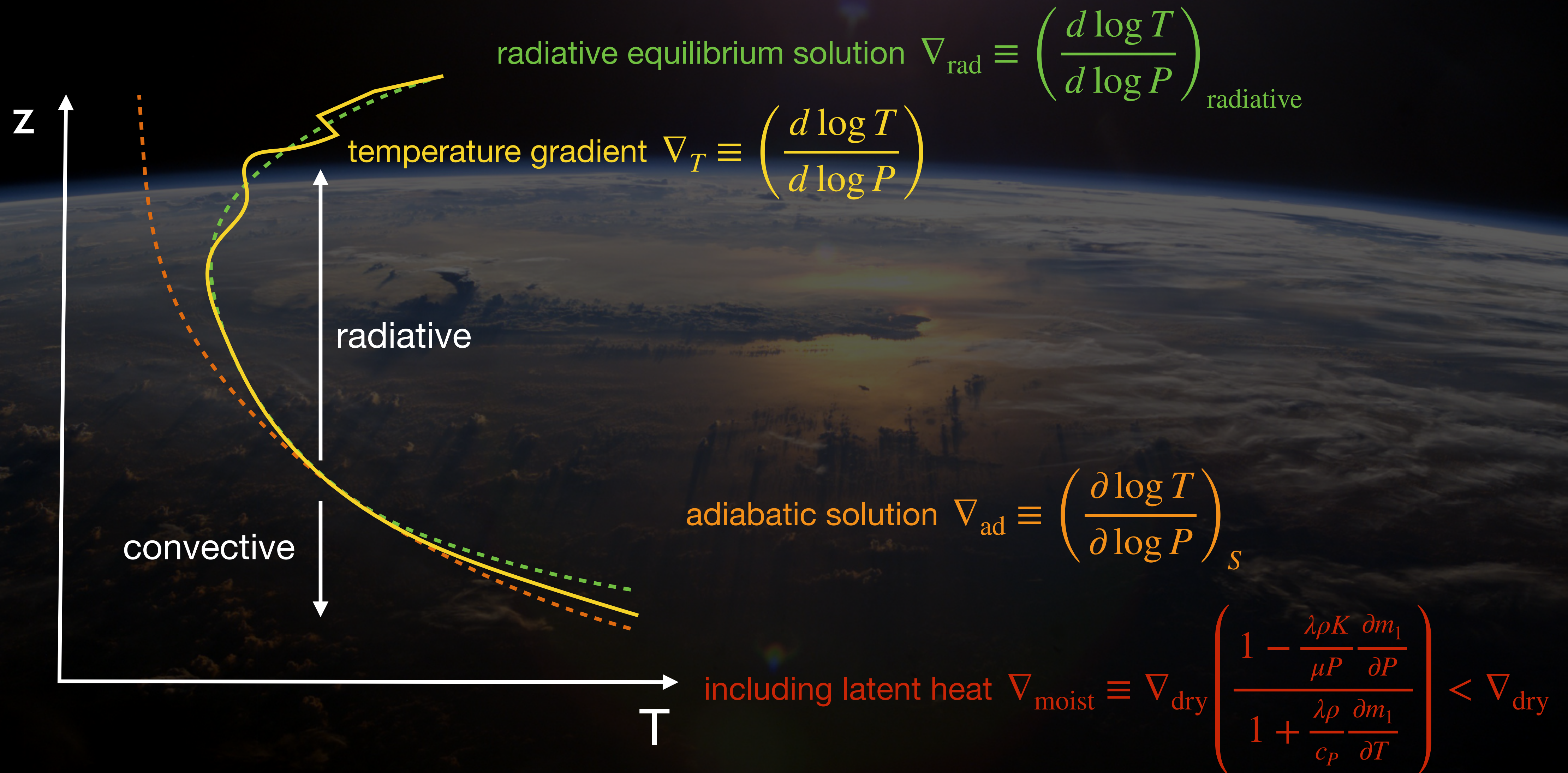
For comparison, 10% = 100 000 ppm, 10 000 000 ppb and 10 000 000 000 ppt.

Gluyas et al. (2024)

Planets in the HZ could be rich in H₂O and H₂

- Different stellar properties
- Different planet masses
- Stochasticity in planet formation models
- Prevalence of H₂O and H₂ in disks
- Existence of super-puffs

H₂O condensation & atmospheric properties



Convective instability

Heat transport is generally modeled using a simple Schwarzschild criterion

The medium is convective if:

$$\nabla_{\text{ad}} \leq \nabla_T^* < \nabla_T \leq \nabla_{\text{rad}}$$



where $\nabla_T \equiv \frac{d \ln T}{d \ln P}$,

∇_{ad} and ∇_{rad} are the adiabatic and radiative gradients, respectively.

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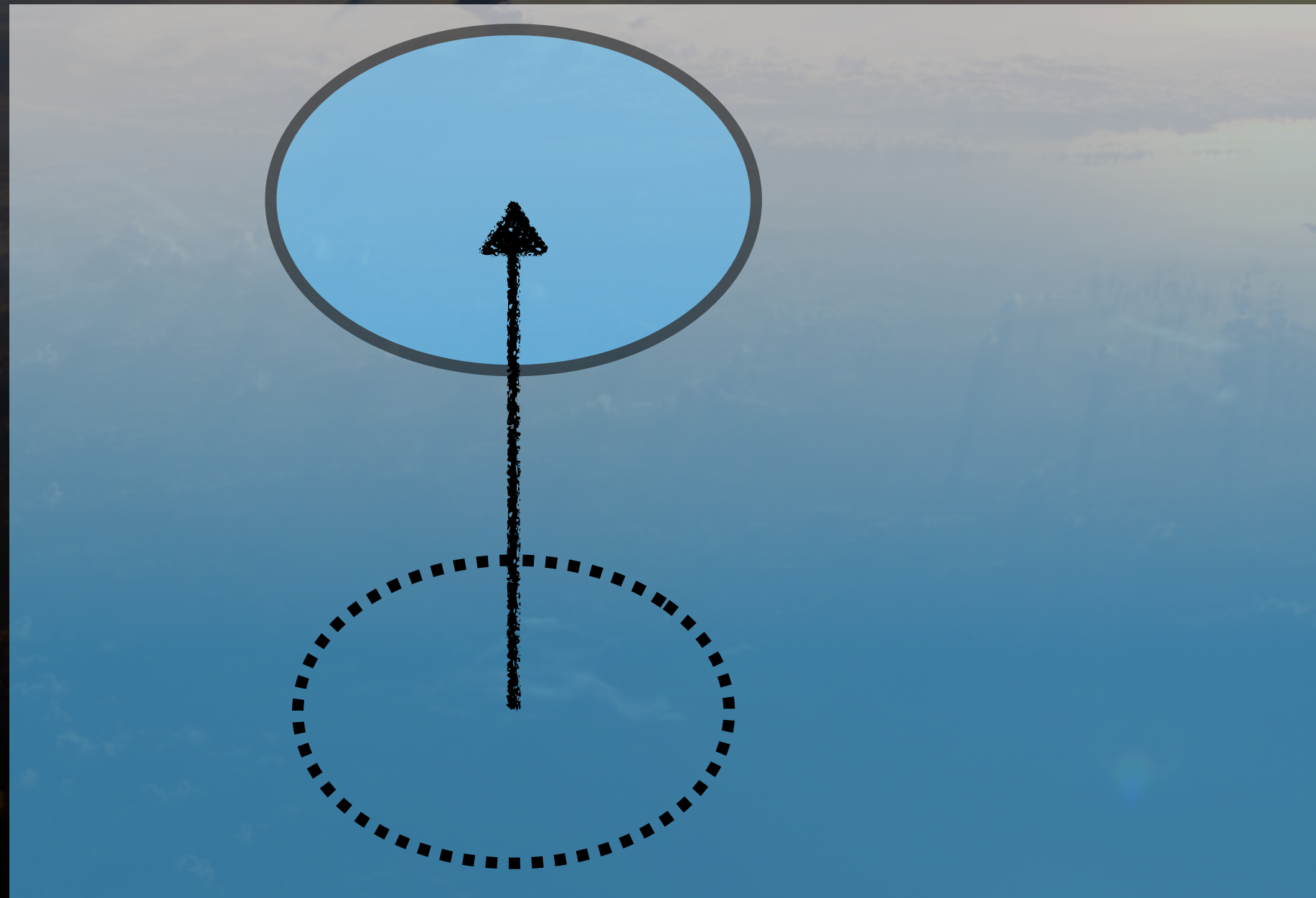
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Convective instability: Ledoux criterion

In the presence of a mean molecular weight gradient ∇_μ , the Ledoux criterion applies

The medium is convective if:

$$\nabla_{\text{ad}} \leq \nabla_T^* < \nabla_T + \nabla_\mu \leq \nabla_{\text{rad}} + \nabla_\mu$$



$$\text{where } \nabla_T \equiv \frac{d \ln T}{d \ln P}, \quad \nabla_\mu \equiv \frac{d \ln \mu}{d \ln P}$$

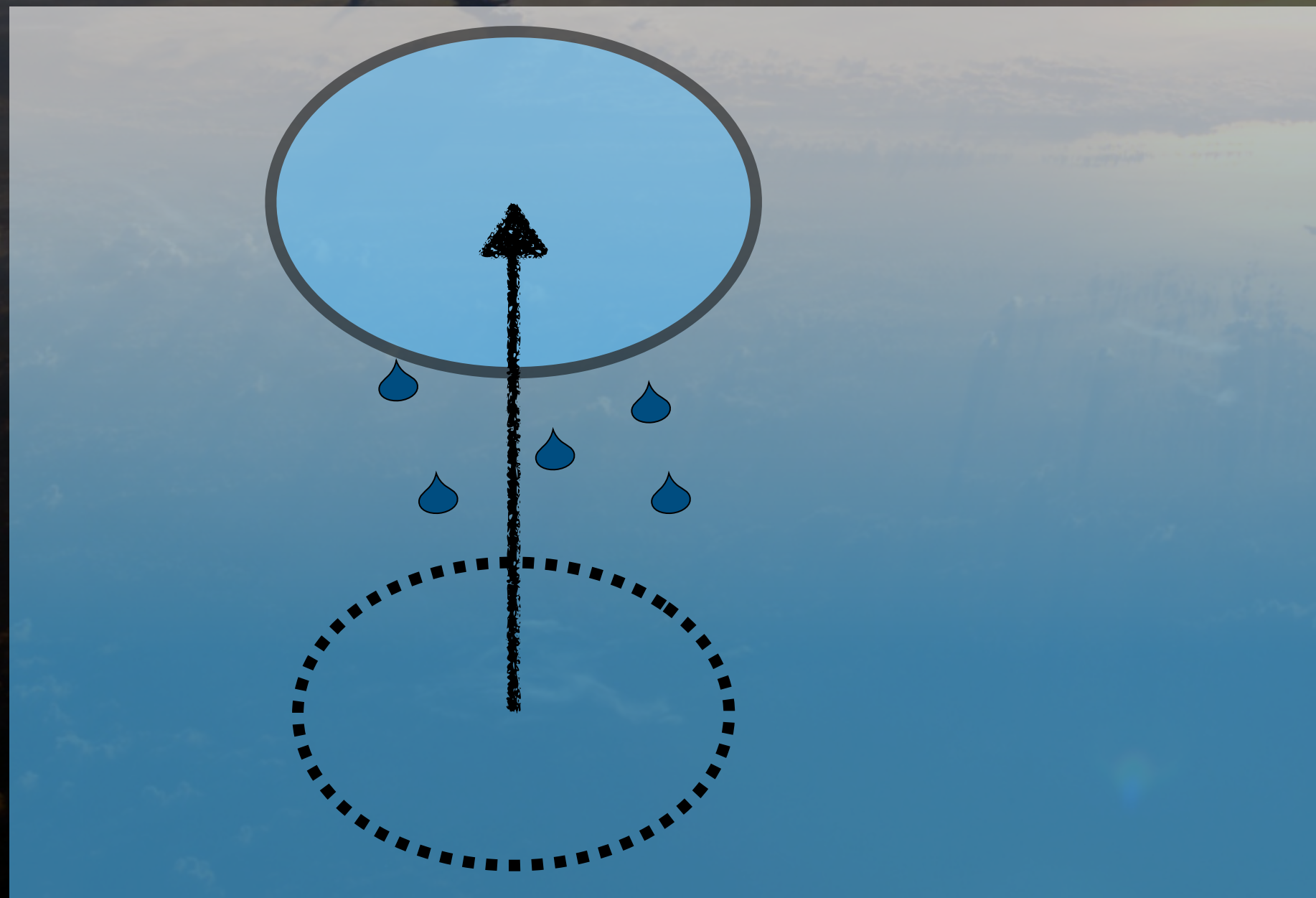
∇_{ad} and ∇_{rad} are the adiabatic and radiative gradients, respectively.

Convective instability w/ condensation

In the presence of condensation, the mean molecular weight gradient ∇_μ , then depends on how the humidity changes with pressure.

The medium is convective if:

$$\nabla_T^* + \nabla_\mu^* < \nabla_T + \nabla_\mu$$



$$\text{where } \nabla_T \equiv \frac{d \ln T}{d \ln P}, \quad \nabla_\mu \equiv \frac{d \ln \mu}{d \ln P}$$

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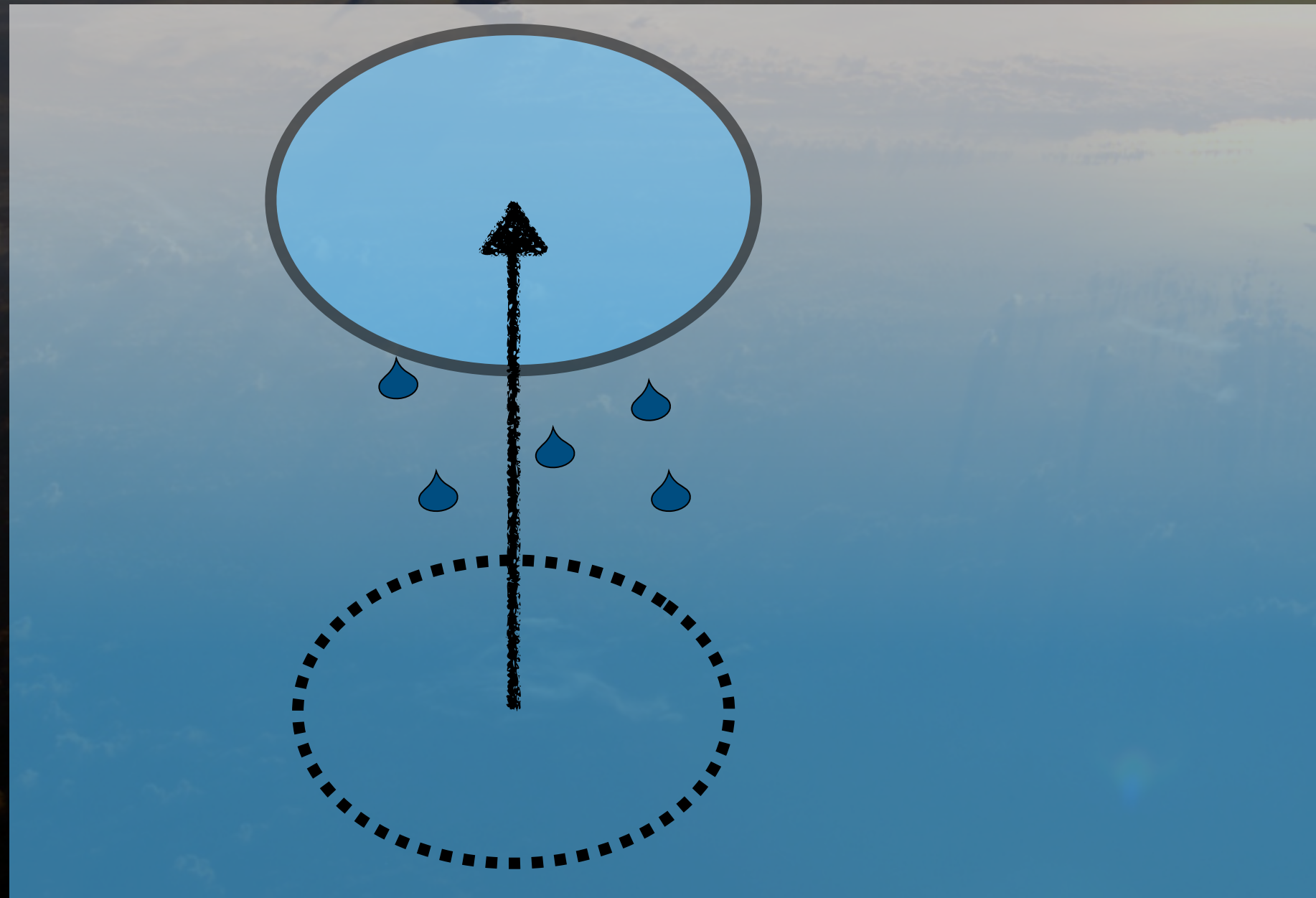
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Assuming saturation, the molecular weight gradients are set by the Clausius-Clapeyron relation:

$$\nabla_\mu = \varpi f(\beta \nabla_T - 1)$$

$$\nabla_\mu^* = \varpi f(\beta \nabla_T^* - 1)$$

where:

f is the mass mixing ratio of condensable species

$\varpi \sim 1$ for hydrogen atmospheres is related to the mass ratio of condensable to uncondensable species

$\beta \equiv L/RT \sim 20$ is the ratio of the latent heat to the thermal energy

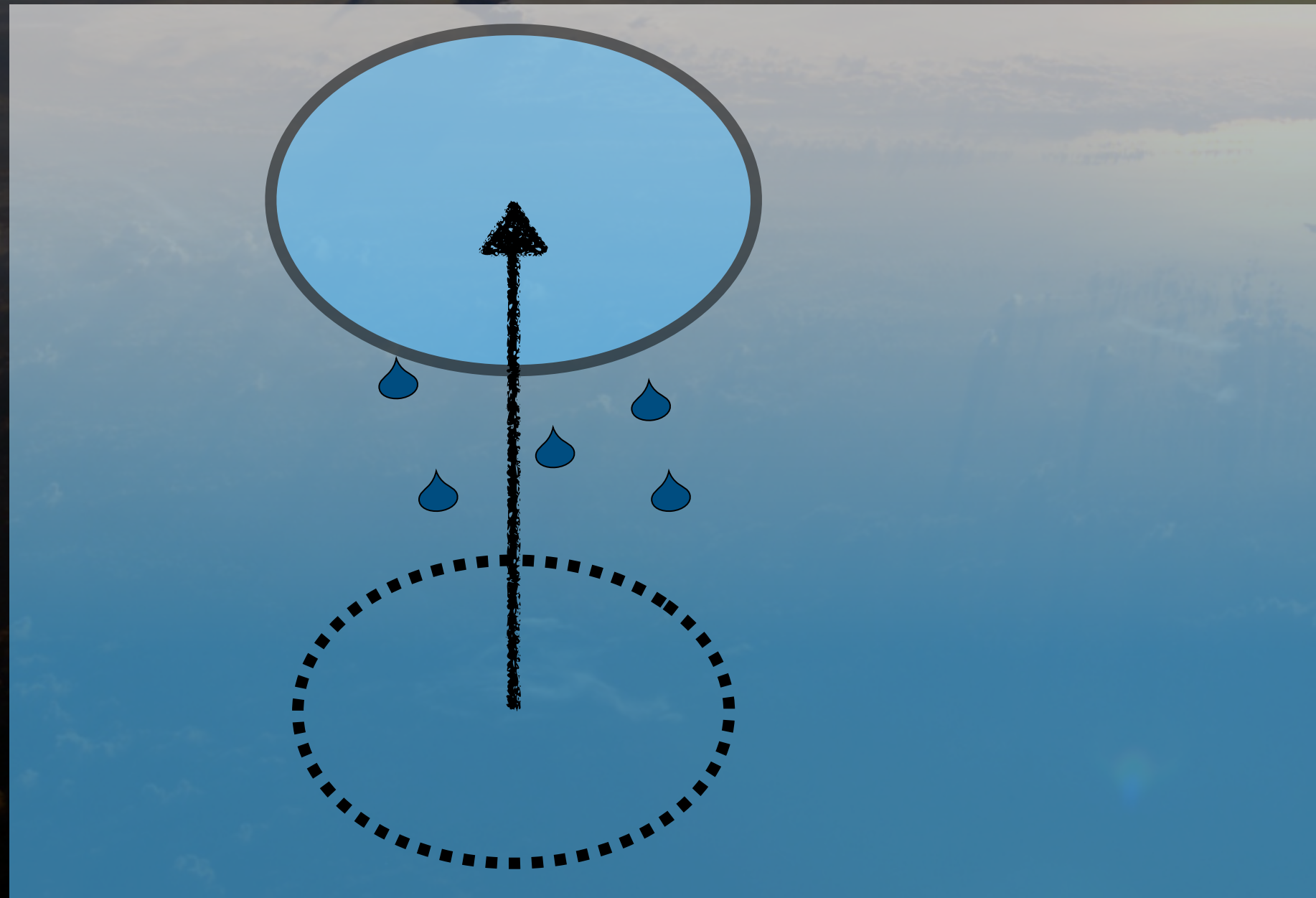
Guillot (Science 1995)

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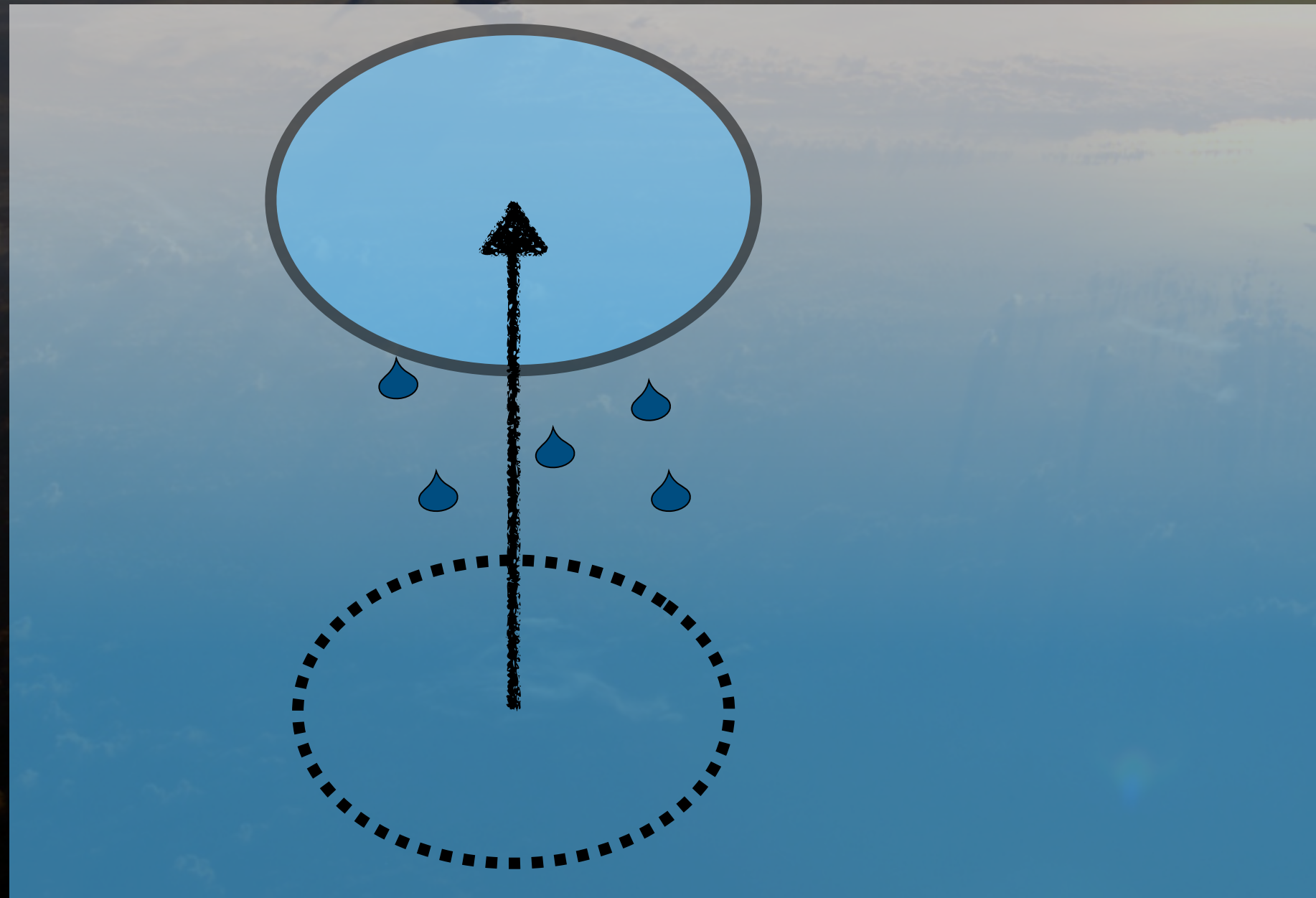
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$$(\varpi f \beta - 1) \nabla_T^* - \varpi f < (\varpi f \beta - 1) \nabla_T - \varpi f$$



“blob”

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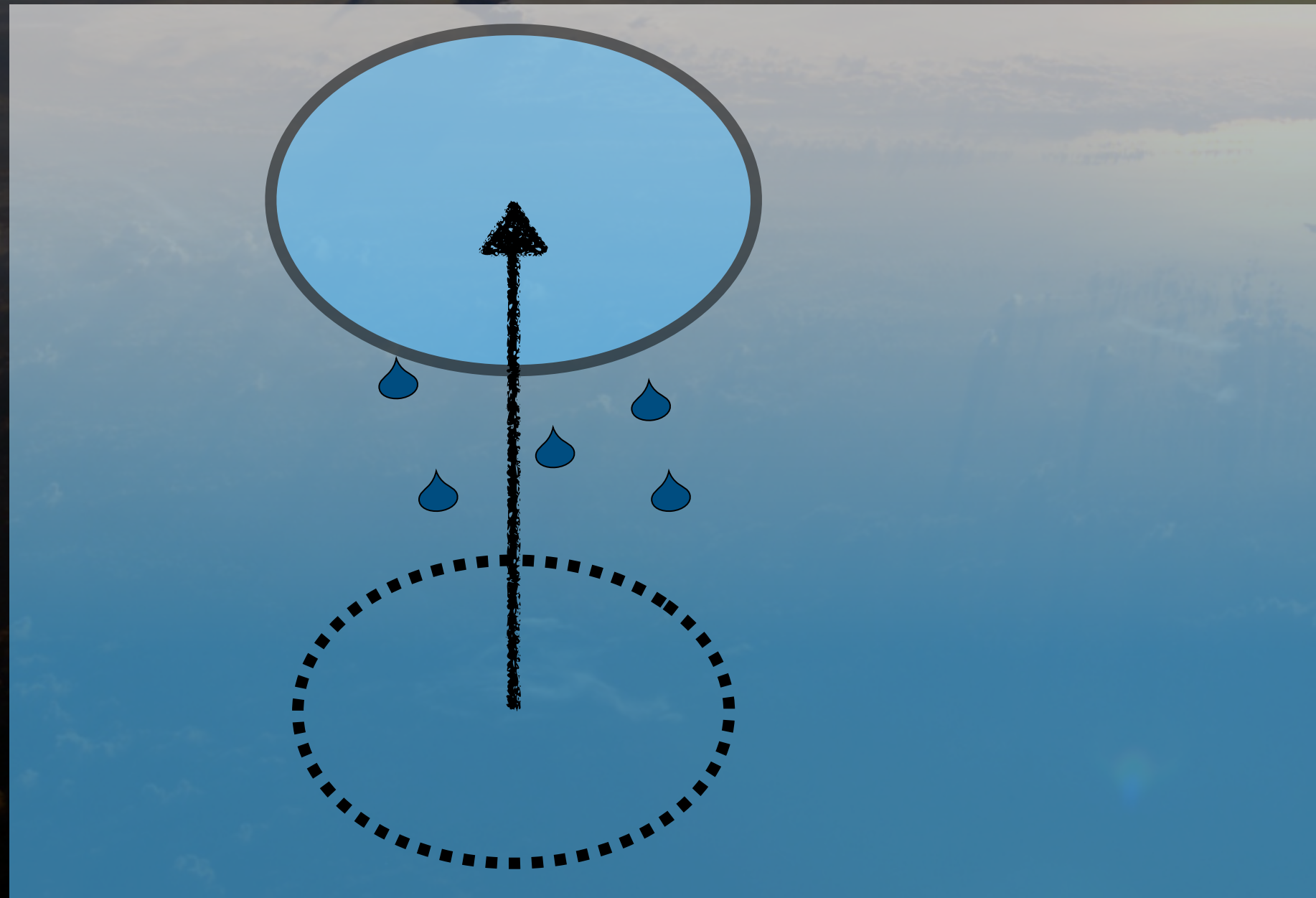
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Convective instability w/ condensation

In the presence of condensation, the mean molecular weight gradient ∇_μ , then depends on how the humidity changes with pressure.

The medium is convective if:

$$(1 - \varpi\beta f)(\nabla_T - \nabla_T^*) > 0$$



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“environment”

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Guillot (Science 1995)

Moist convection inhibition

In the presence of condensation, the mean molecular weight gradient ∇_μ , then depends on how the humidity changes with pressure.

The medium is convective if:

$$(1 - \varpi\beta f)(\nabla_T - \nabla_T^*) > 0$$

1 for Jupiter
-0.5 for Earth

$$\beta = L/RT \sim 20$$

mass mixing ratio
of condensing species

This *never* occurs if: $f > f_0 \equiv \frac{1}{\varpi\beta}$ → Enrichments in: $\text{H}_2\text{O} \gtrsim 10 \times \odot$
 $\text{CH}_4 \gtrsim 40 \times \odot$

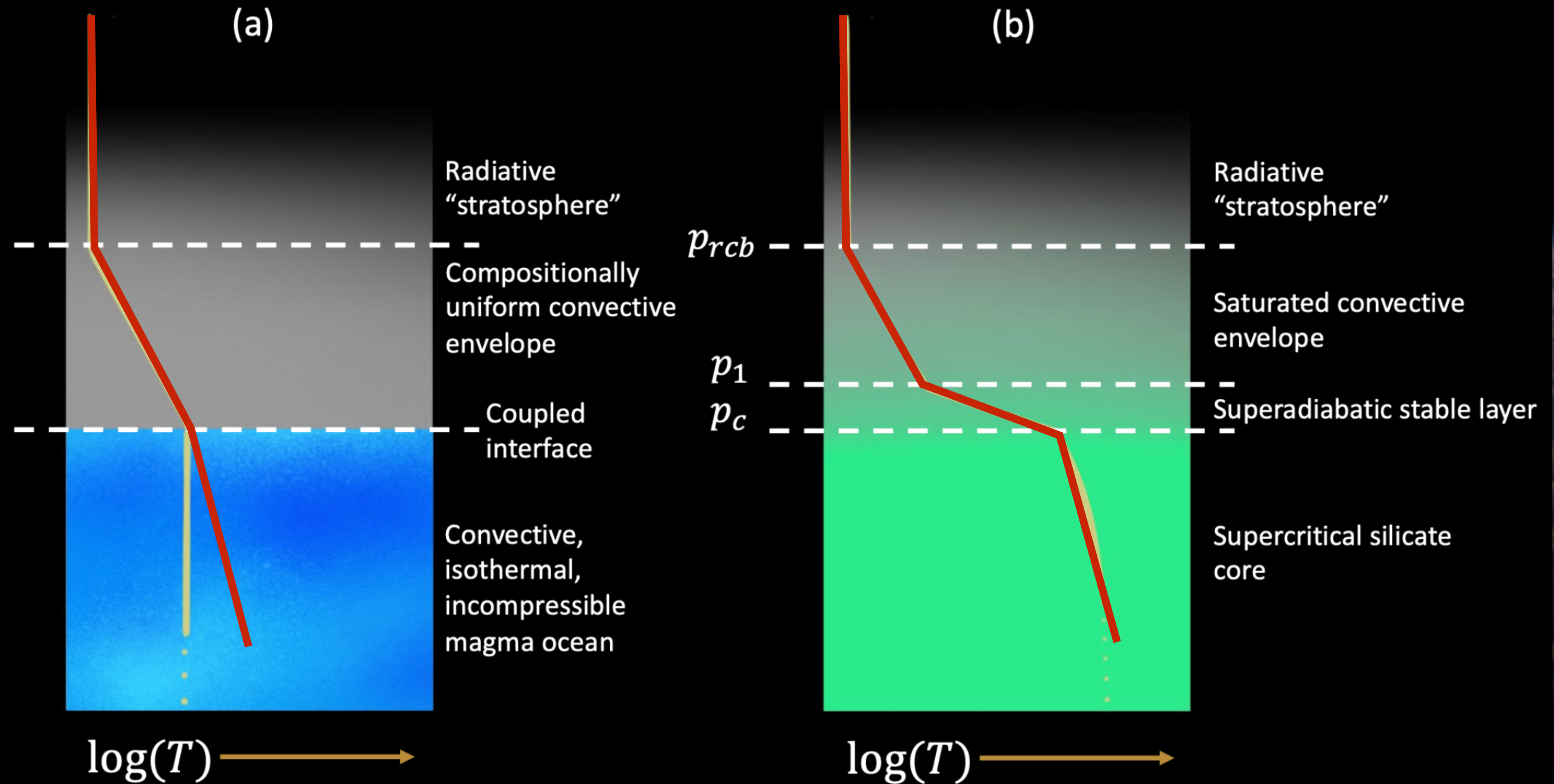
Leconte et al. (2017) further demonstrate that double-diffusive convection is also inhibited

Guillot (Science 1995)

Moist convection inhibition: cases

- In Uranus & Neptune, due to CH_4 condensation
 - Guillot (1995), Ge et al. (2024), Clément et al. (2024)
- In Jupiter & Saturn
 - Linked to H_2O condensation, possibly: Li & Ingersoll (2017), Hyder et al. (2024)
 - Linked to helium rain: Markham & Guillot (2024)
- In K2-18b
 - Leconte et al. (2024)
- In Earth-like planets with a water ocean and a hydrogen atmosphere
 - If the ocean temperature is $>300\text{K}$: Seeley & Wordsworth (2025)
- In magma-ocean planets
 - Markham, Guillot & Stevenson (2023)

Moist convection inhibition: consequences

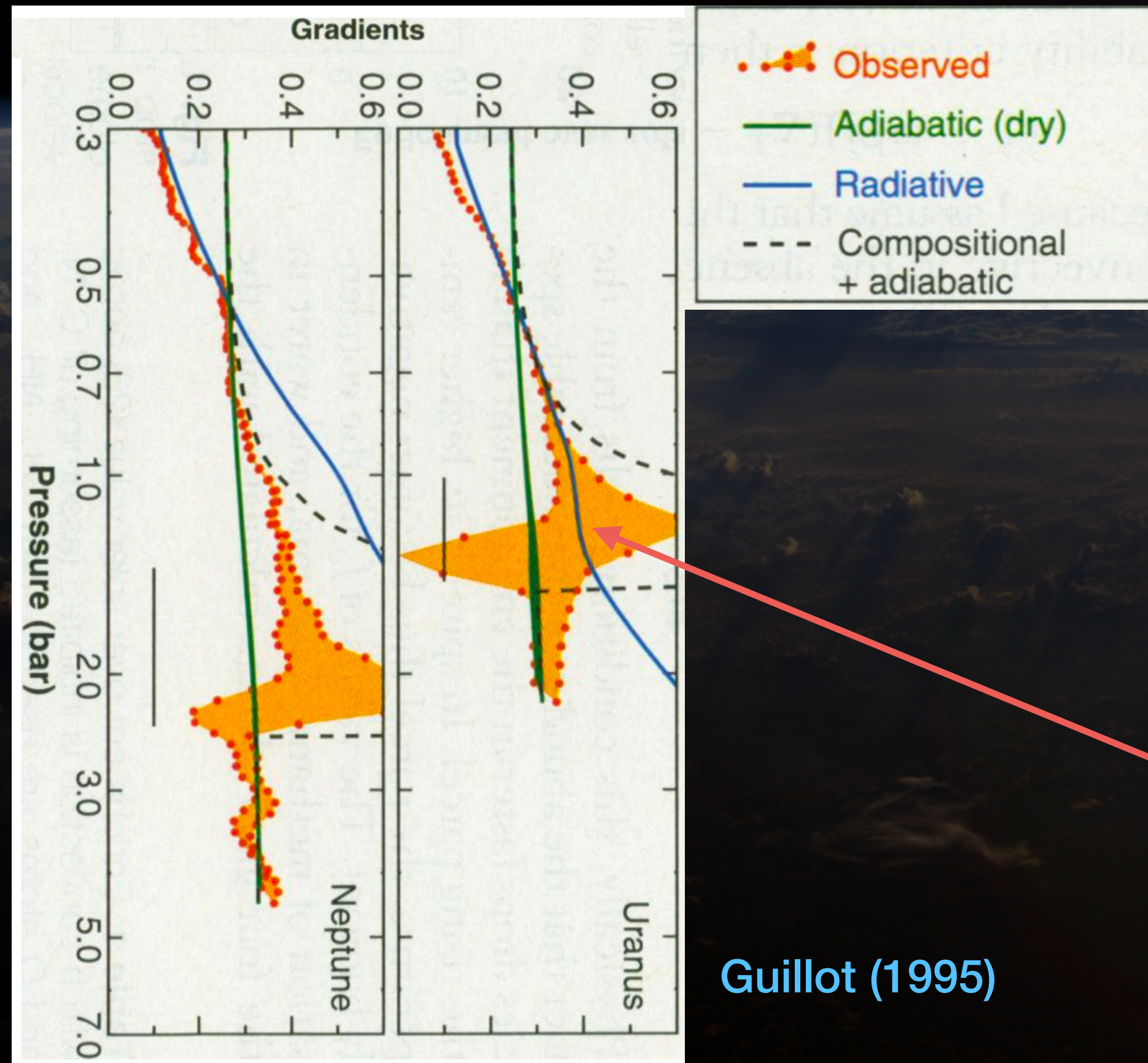


Markham, Guillot & Stevenson (2022)
(see also Leconte et al. 2017)

Moist convection inhibition: consequences

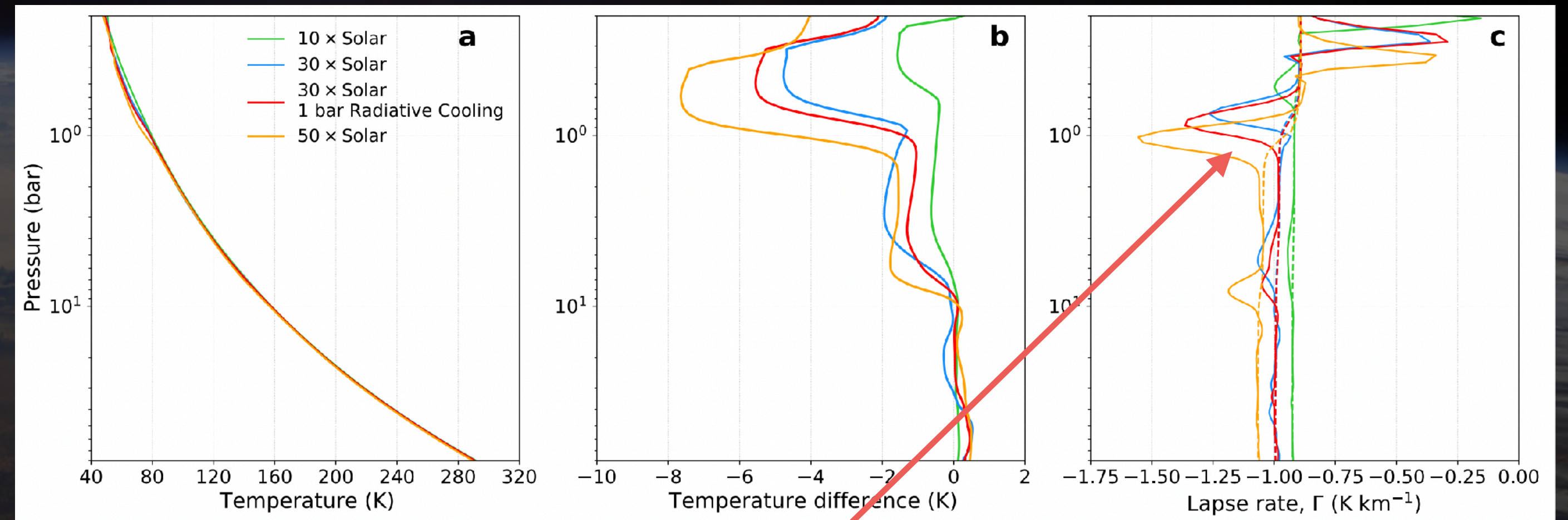
In Uranus and Neptune (CH₄ condensation)

From Voyager 2 radio occultations:



Guillot (1995)

From cloud ensemble simulations:

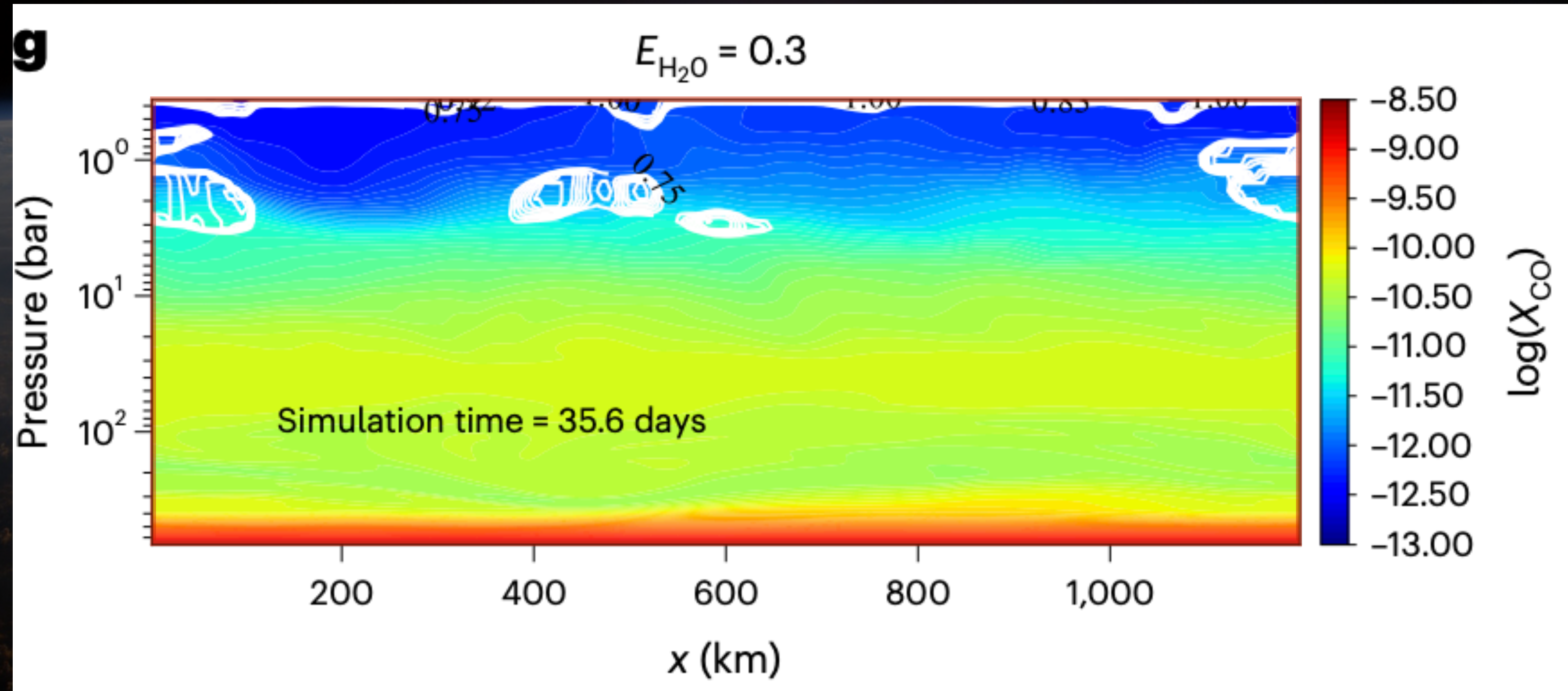


Ge et al. (PSJ, 2024)

superadiabaticity

Moist convection inhibition: consequences

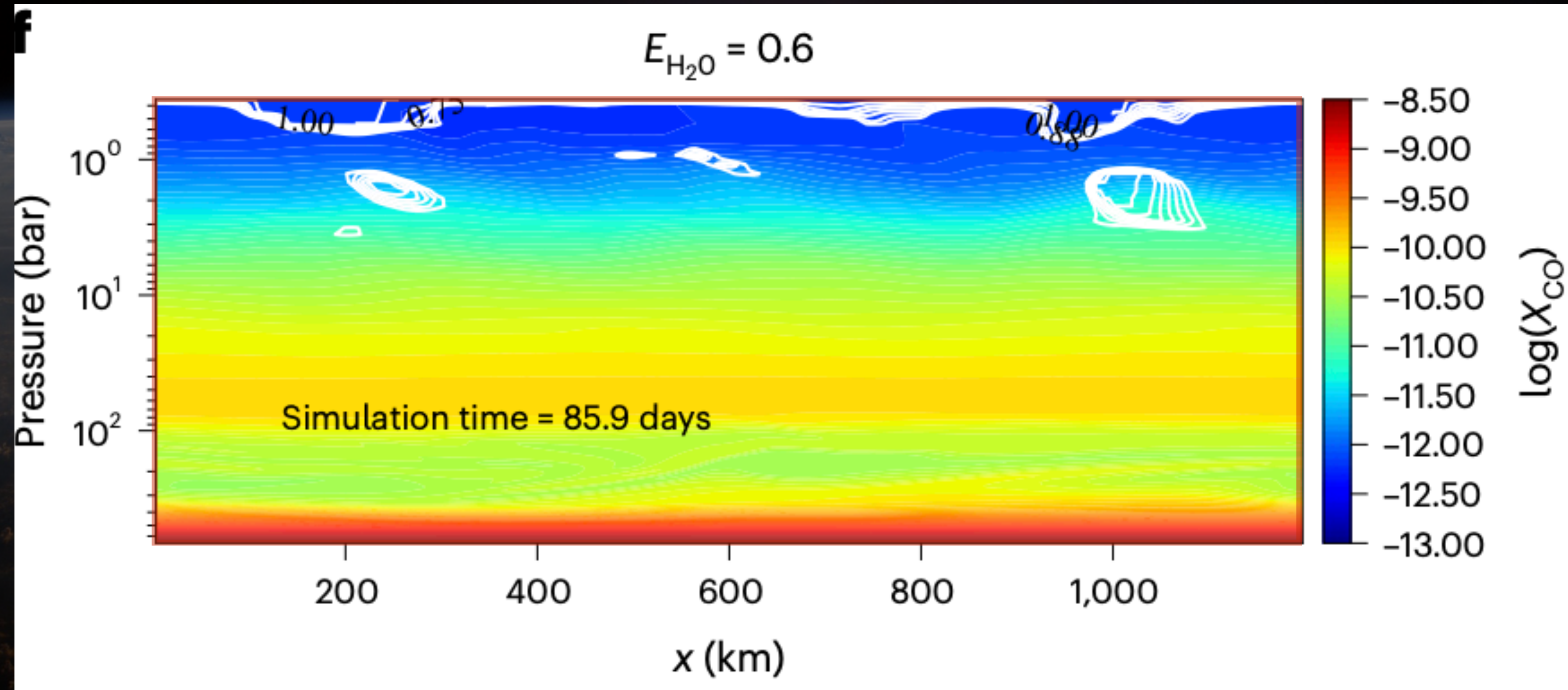
In Jupiter (H₂O condensation & atmospheric CO abundance)



Hyder et al. (2025)

Moist convection inhibition: consequences

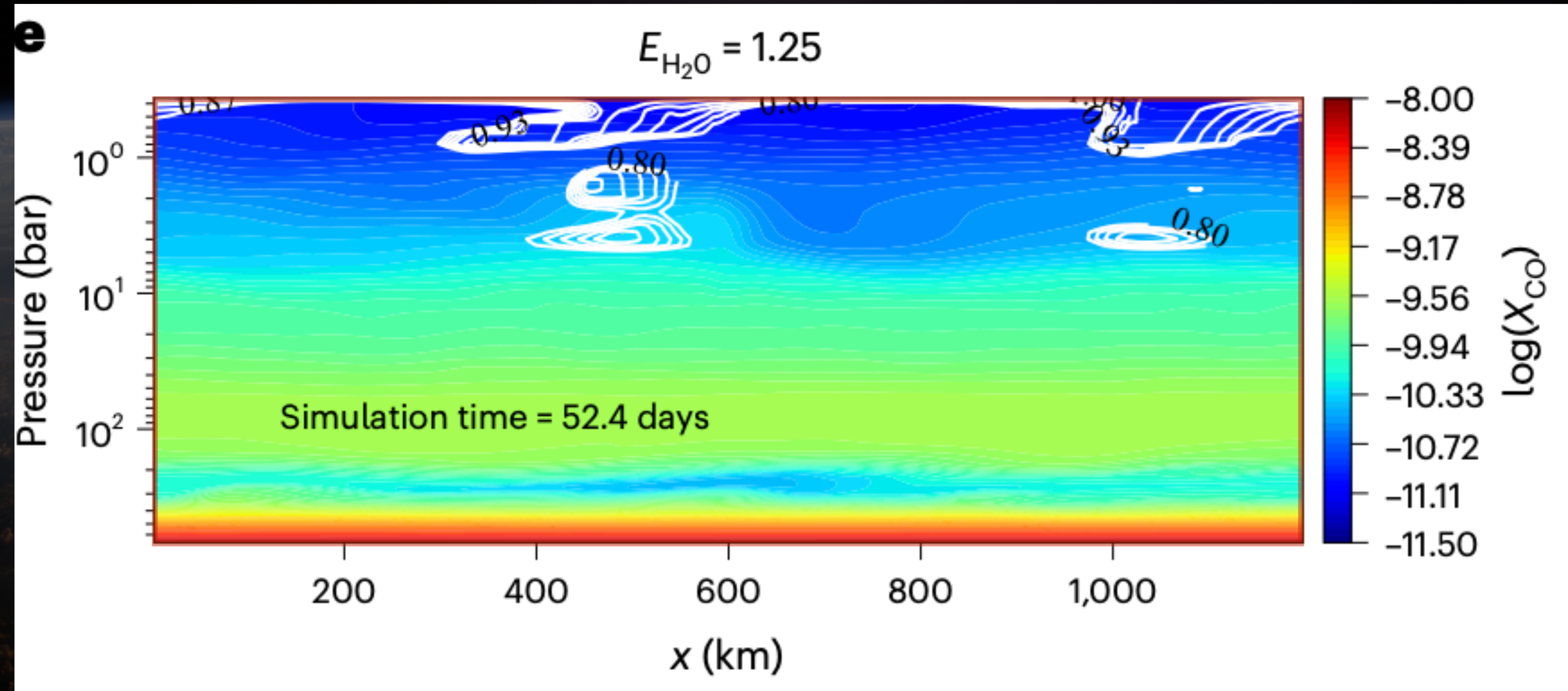
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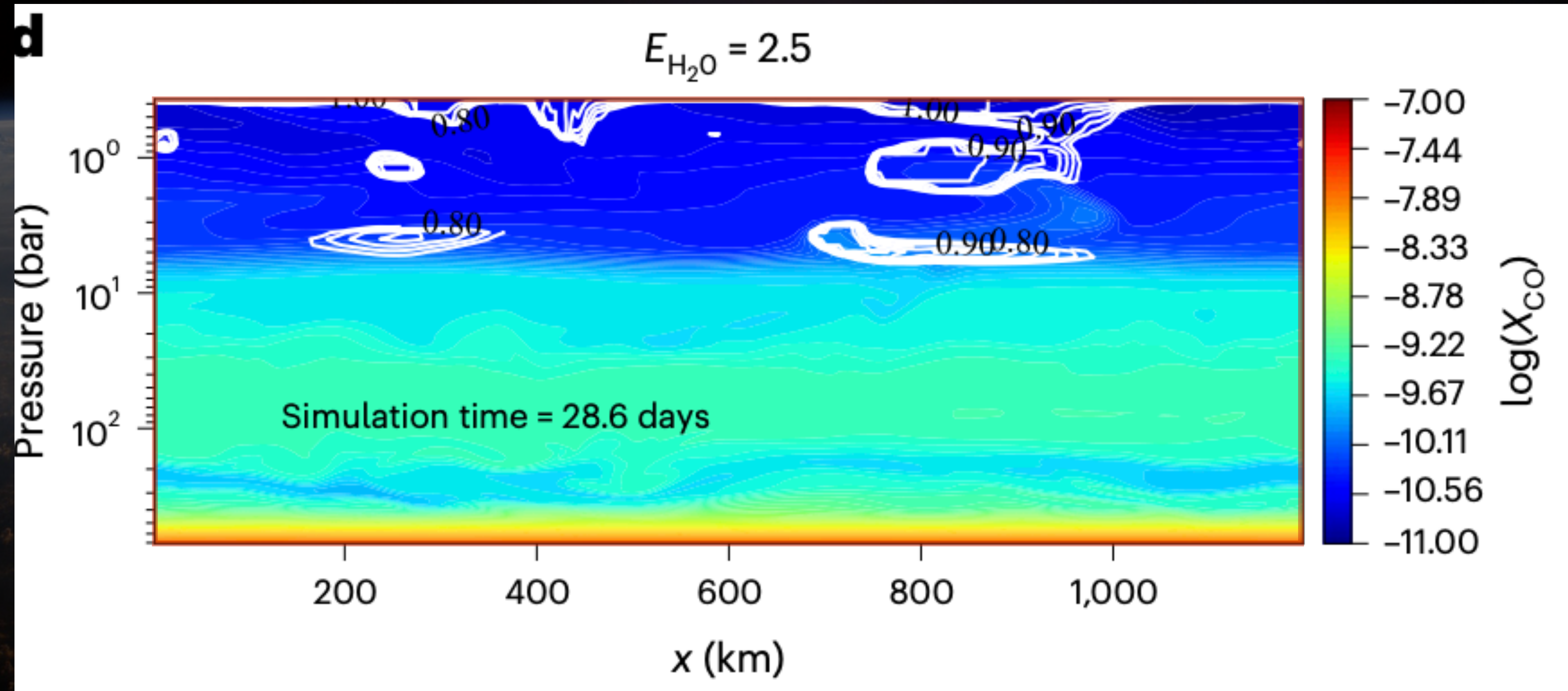
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Moist convection inhibition: consequences

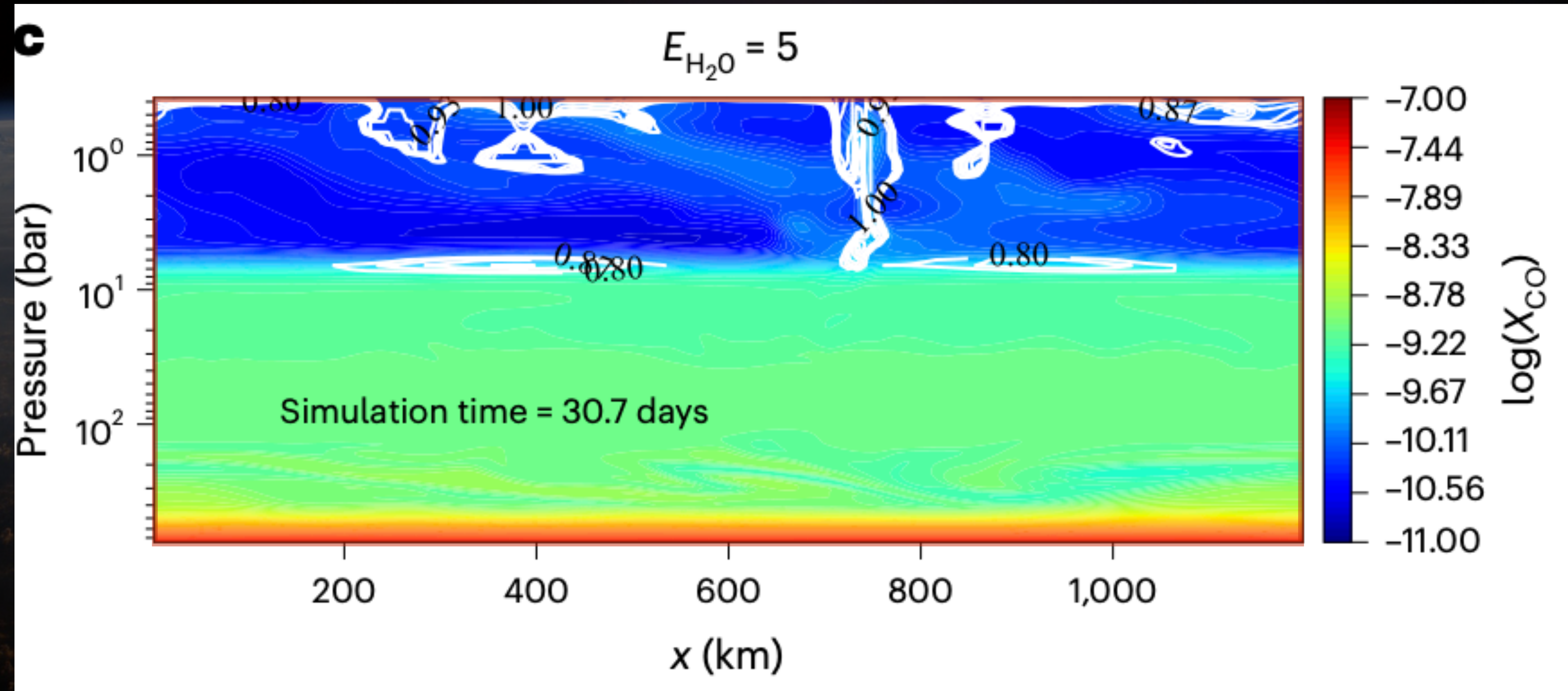
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Moist convection inhibition: consequences

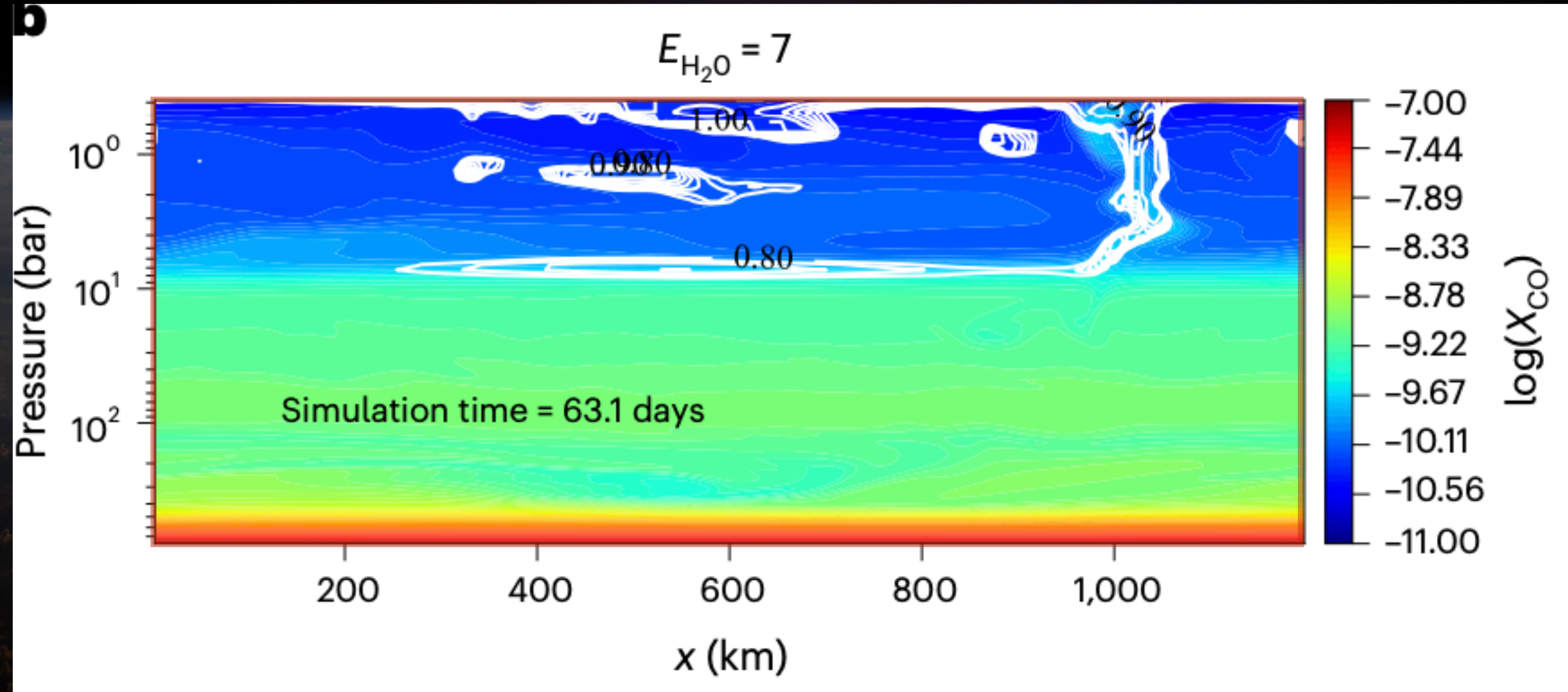
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Moist convection inhibition: consequences

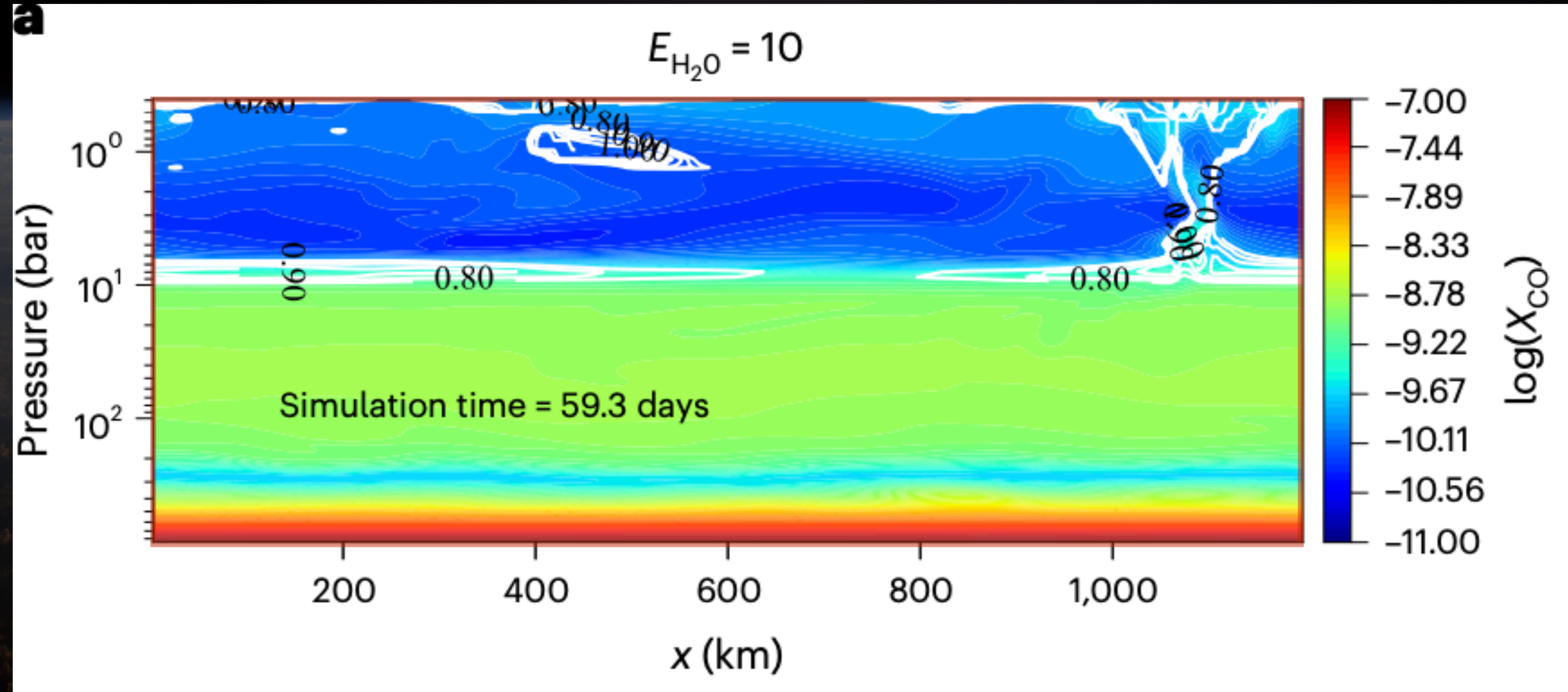
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Hyder et al. (2025)

Moist convection inhibition: consequences

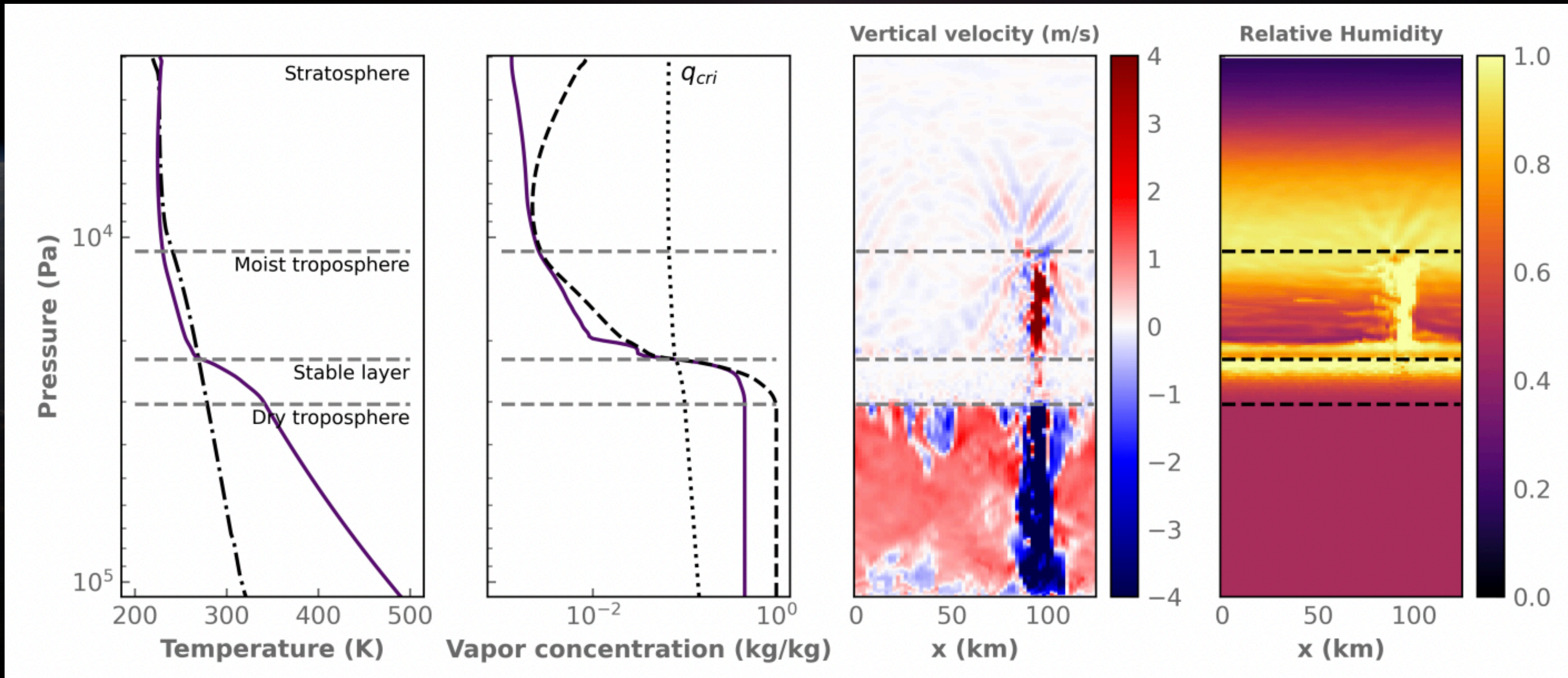
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Hyder et al. (2025)

Moist convection inhibition: consequences

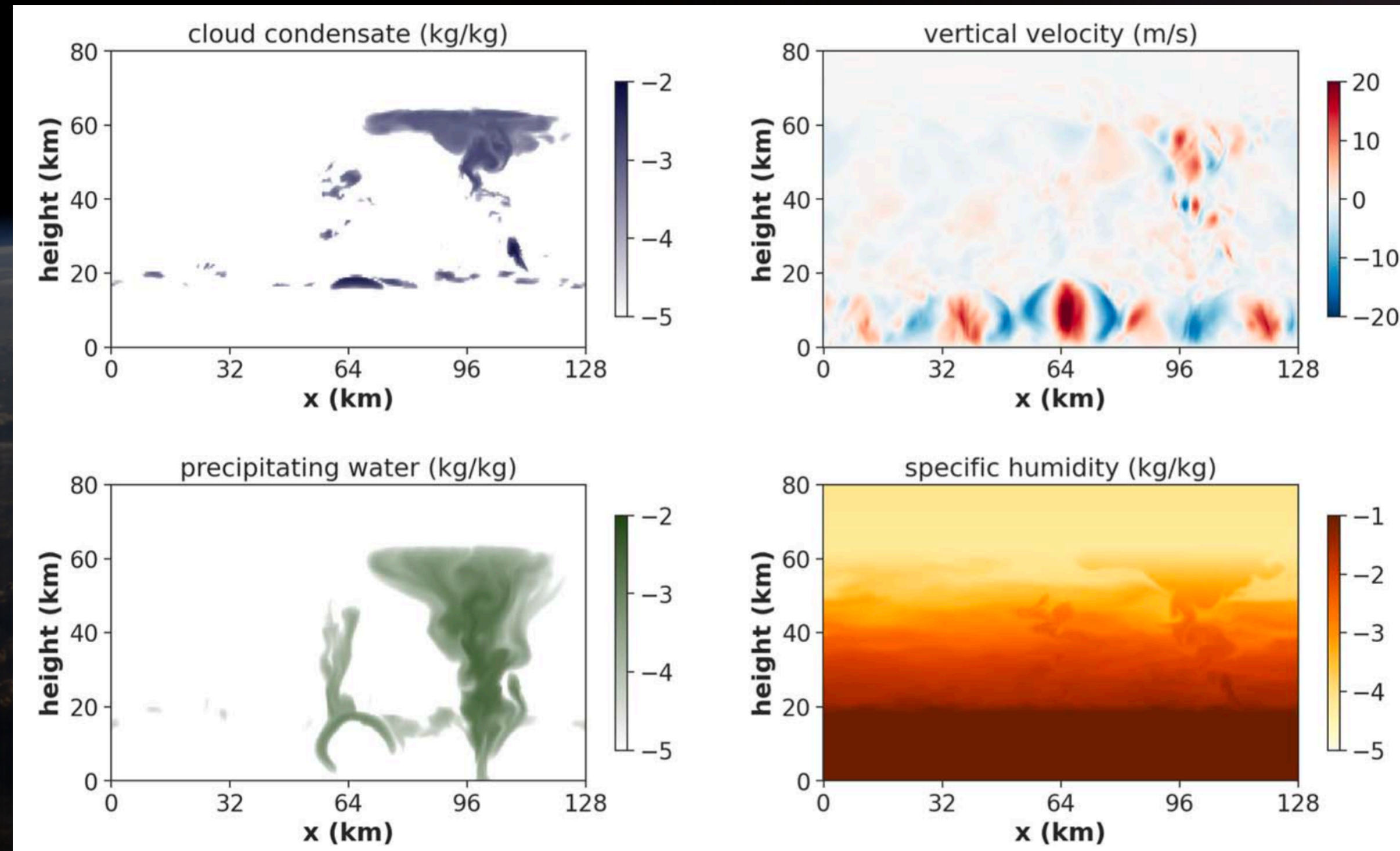
In exoplanet K2-18b (H₂O condensation)



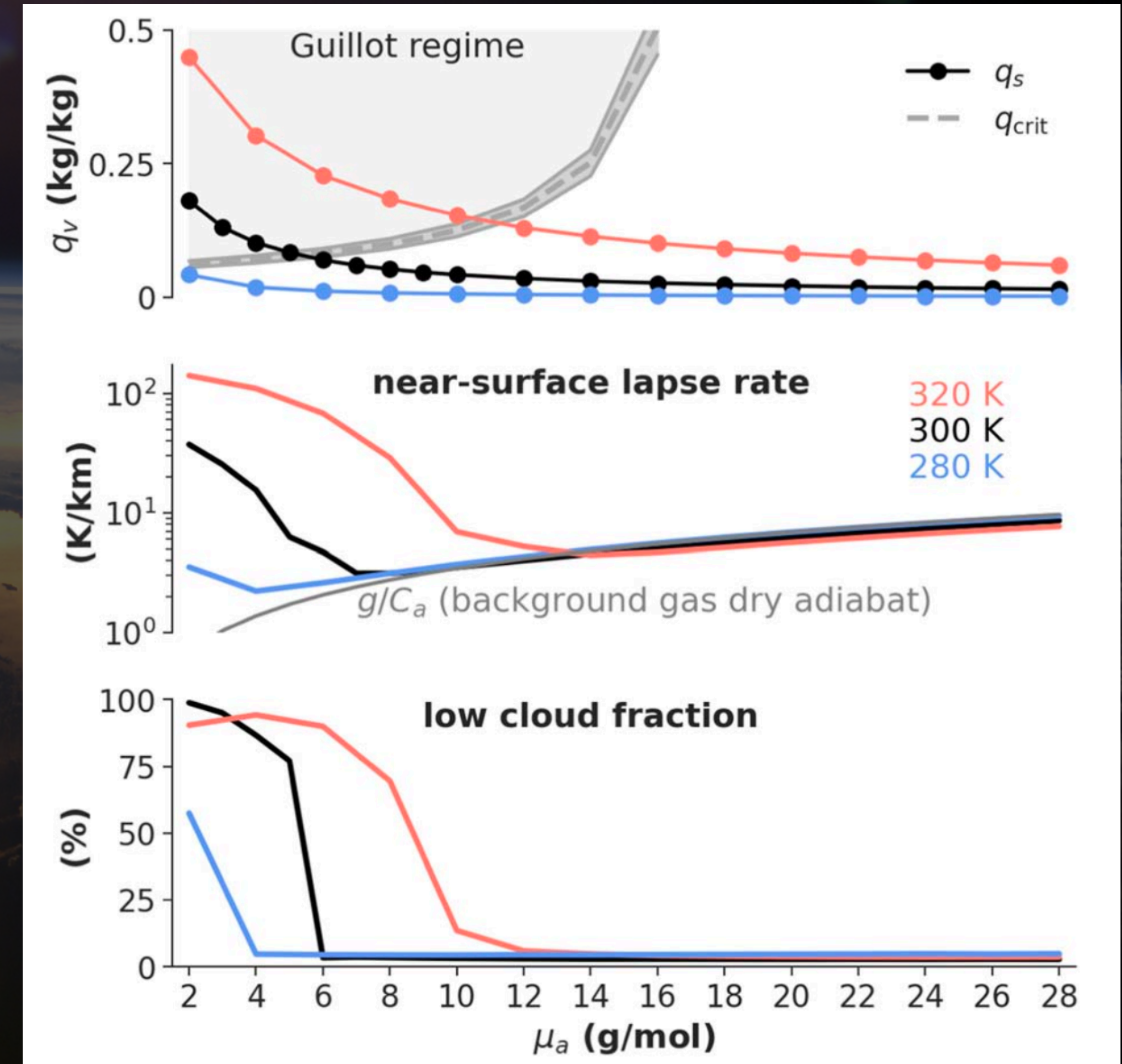
Leconte et al. (2024)

Moist convection inhibition: consequences

In Earth-like planets with H₂O ocean



Seeley & Wordsworth (2025)

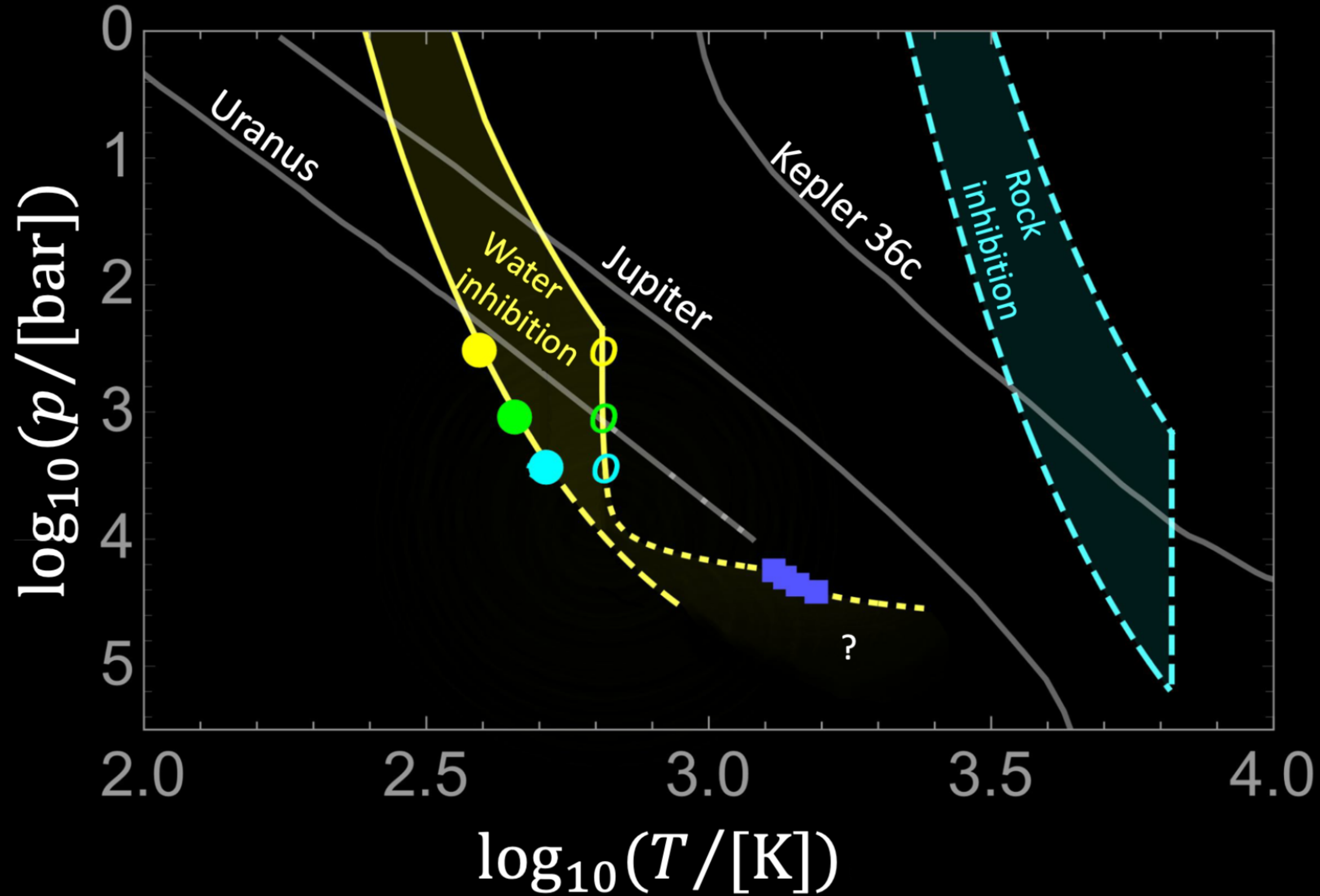


Moist convection inhibition & PLATO

- This will yield slower cooling, higher internal temperatures
 - Will modify inferred bulk abundances
 - Very difficult to check against composition degeneracies, particularly in small planets
 - Age information may be a game changer but this is to be quantified
 - Problem yet to be tackled with evolution models in the context of WP116100
- Testing this requires observations of enriched exoplanetary atmospheres
 - Constraints on disequilibrium species abundances
 - Linking bulk and atmospheric compositions.
 - Long-period temperate planets (w/ water condensation) are especially interesting
- Characterizing planets in the HZ is essential
 - With water condensation & inhibition, convection becomes very intermittent
 - We will need many targets & many observations!



Moist convection inhibition: location



Markham, Guillot & Stevenson (2022)