

# Ripples Beneath the Waves

Detecting transits of Earth-size planets in the presence of variability

Geert Jan Talens

Luca Malavolta, Leigh Smith, Eric Feigelson,  
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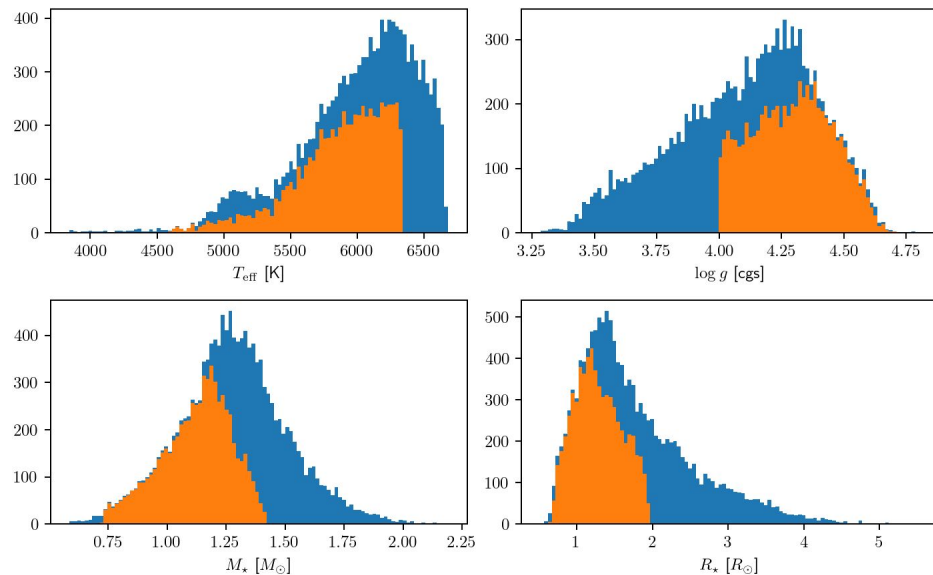
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# Aim

Compare different lightcurve filter and transit search algorithms to provide recommendations for the EAS.

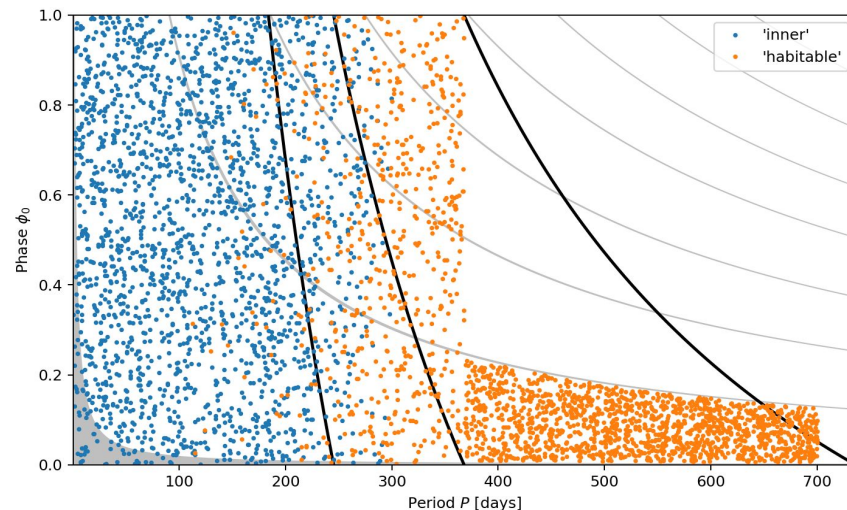
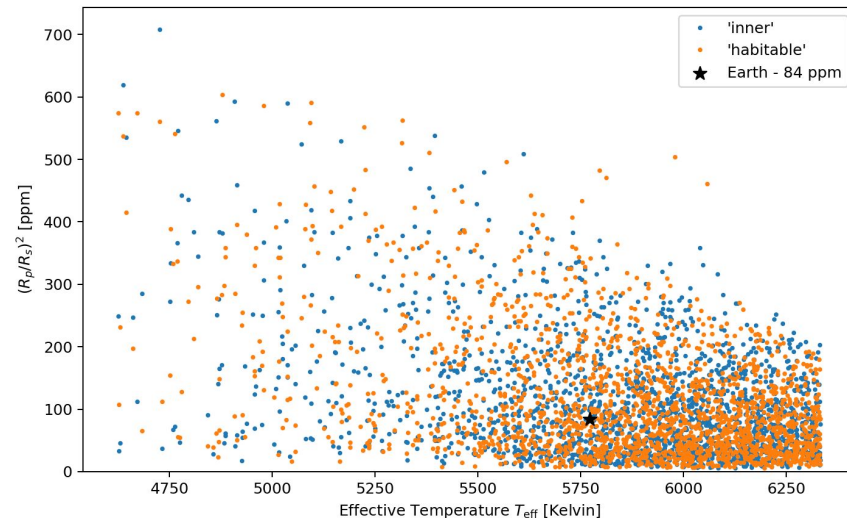
# Simulations - Stars

- Selected from PIC 2.1 P1 + P2.
- Applied cuts:
  - $\log g > 4$
  - $4595 \text{ K} < T_{\text{eff}} < 6334 \text{ K}$
  - $V > 8$
- Simulated 2000 stars.
- Using PSLS V1.8:
  - Poisson noise, systematics.
  - Granulation, oscillations.
  - Irregular quarter lengths.
  - Quarter gaps, momentum gaps.
- Using pyspot:
  - Out-of-transit spot modulations.



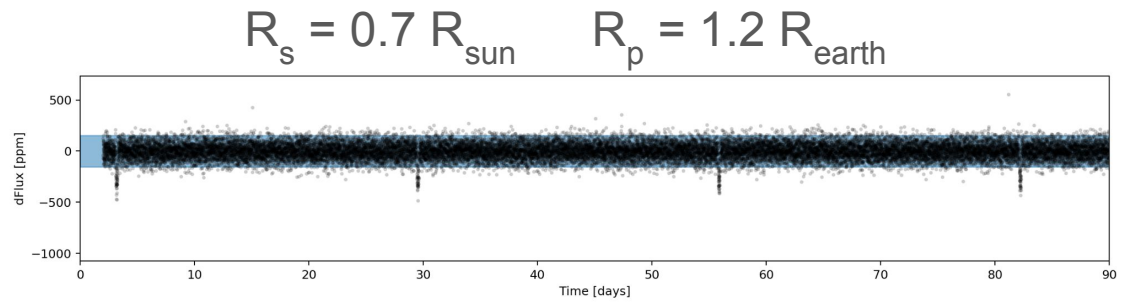
# Simulations - Planets

- 2 possible transit signals:
  - 'inner': Period interior to the habitable zone.
  - 'habitable': Period inside the habitable zone for MS stars. For evolved stars orbits may be interior to the HZ.
- Transit parameters:
  - $0.5 R_e < R_p < 2.0 R_e$  (uniform).
  - $T_0$  constrained to prevent mono-transits.



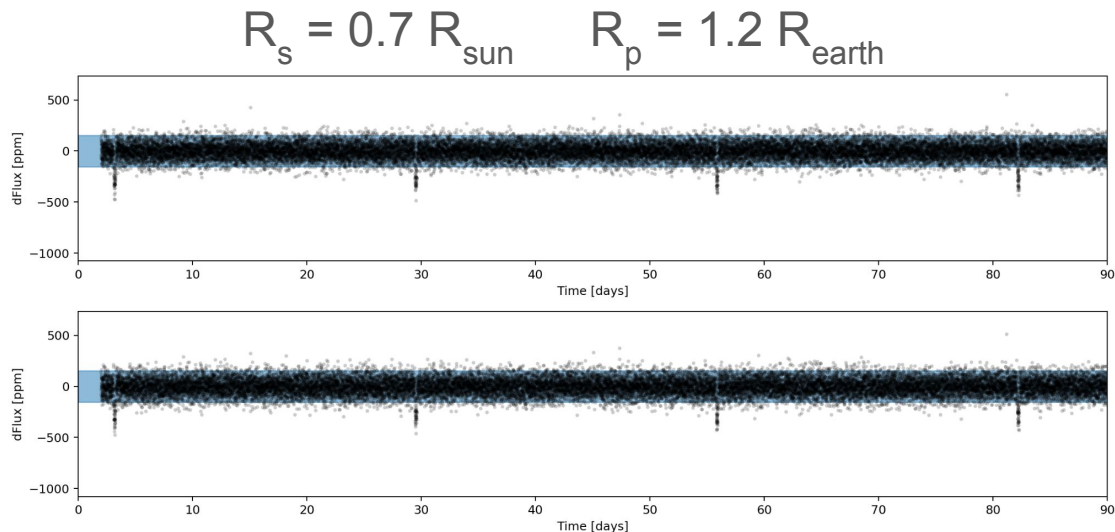
# Ripples and Waves

- Transit + Noise



# Ripples and Waves

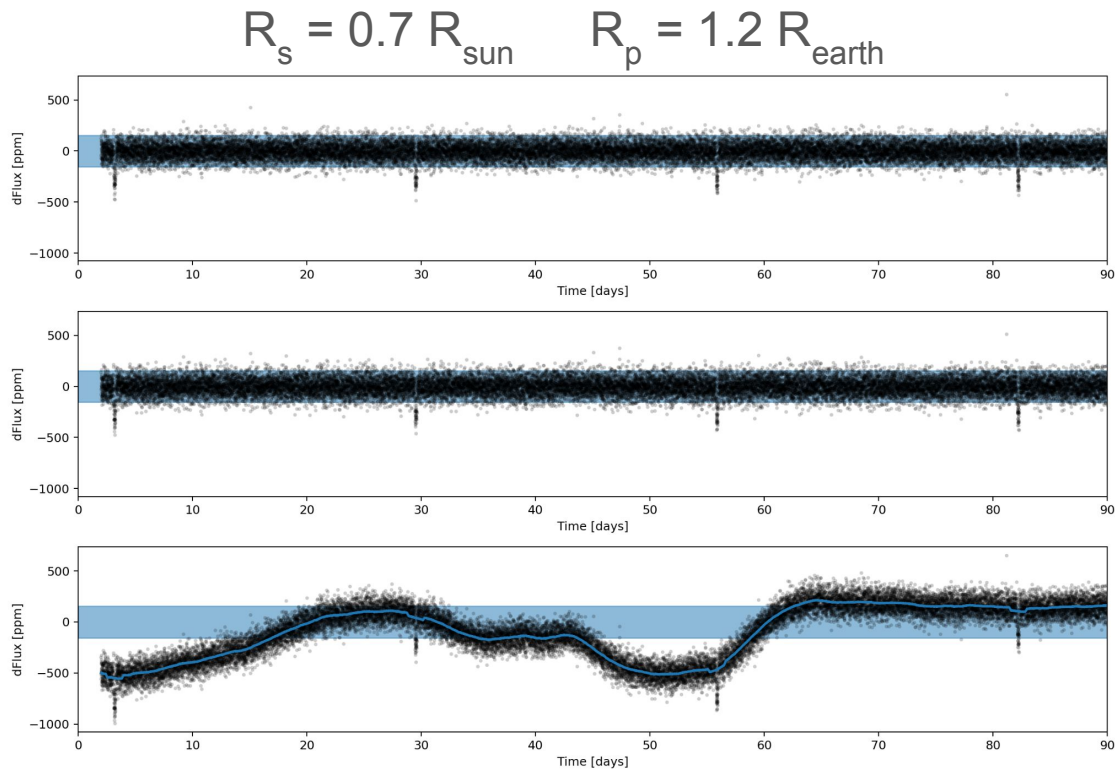
- Transit + Noise
- Granulation + Oscillations





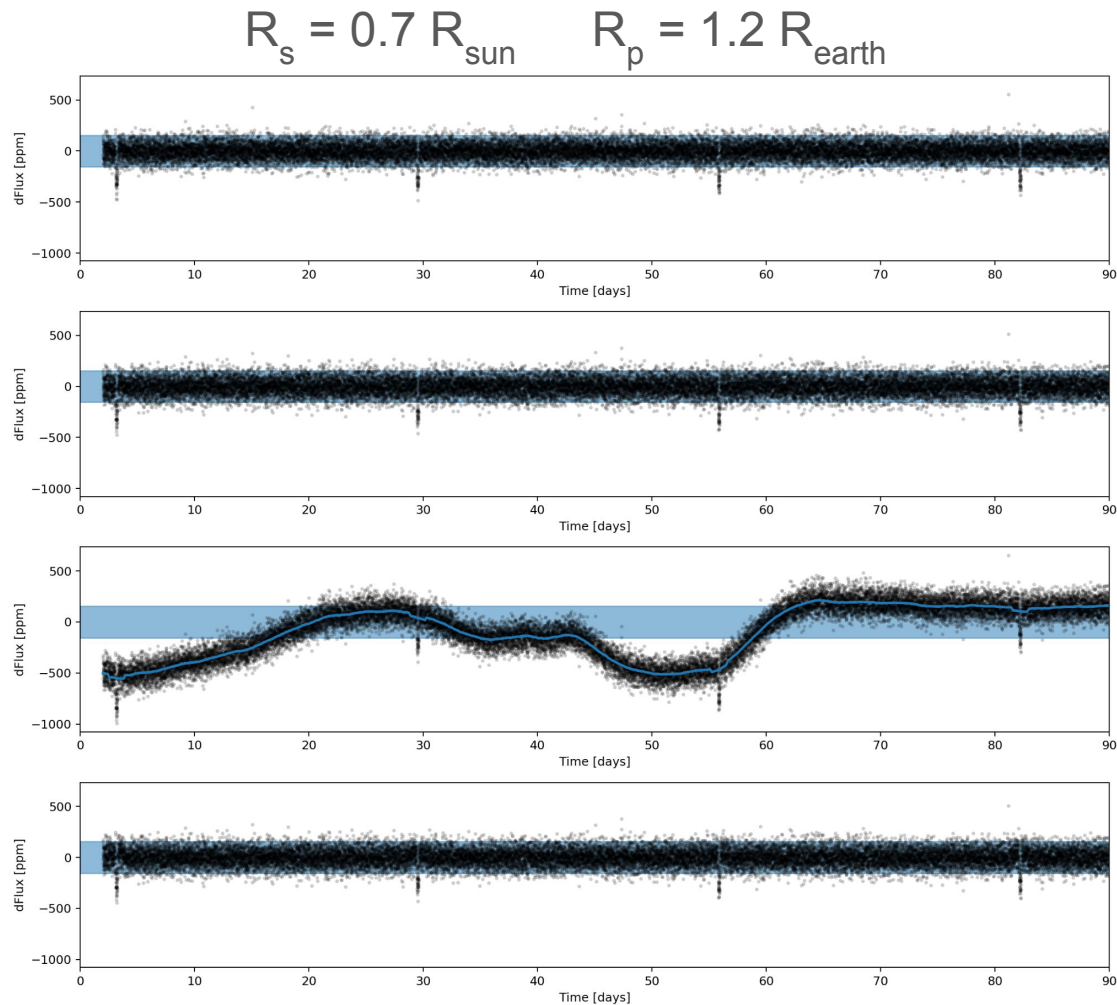
# Ripples and Waves

- Transit + Noise
- Granulation + Oscillations
- Spots + Systematics



# Ripples and Waves

- Transit + Noise
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# Lightcurve Filters

Biweight (wotan)

Huber spline (wotan\*)

Lowess (wotan\*)

YSD-Lowess (*Battley et al. 2020*)

- Custom implementation using wotan Lowess.

ARFIMA (*Feigelson et al. 2018*)

- Part of the AutoRegressive Planet Search (ARPS).

*\*modified for stability*

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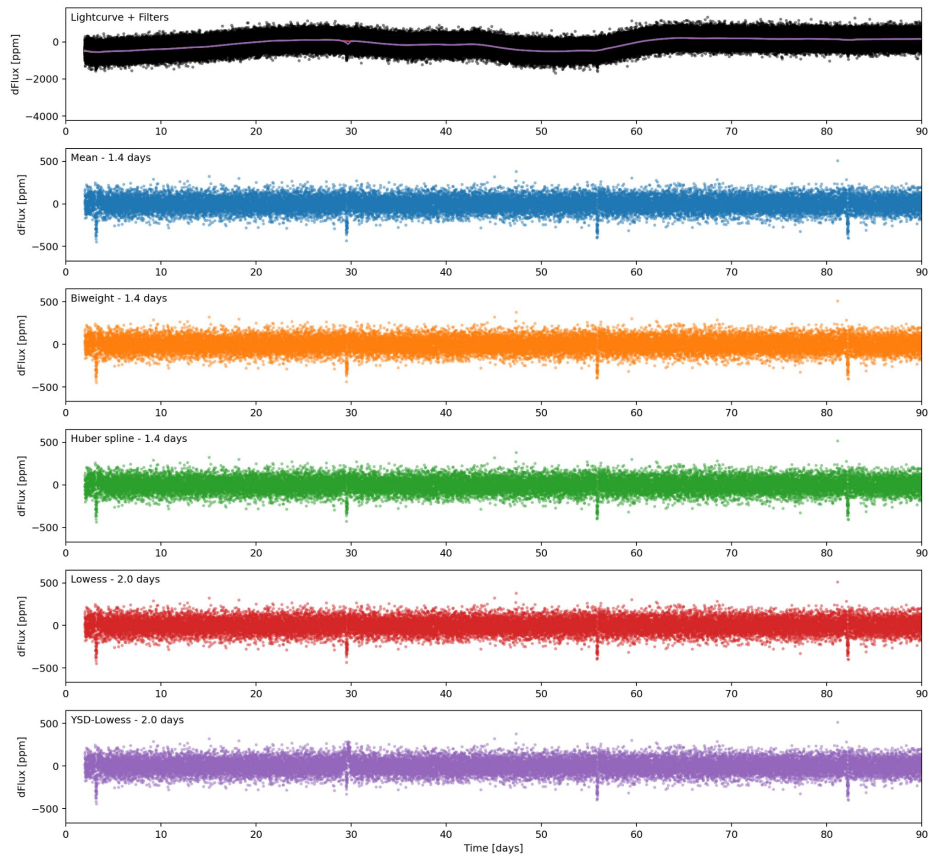
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**ARFIMA** (*Feigelson et al. 2018*)

- Part of the AutoRegressive Planet Search (**ARPS**).
- Produces the filtered lightcurve derivative.

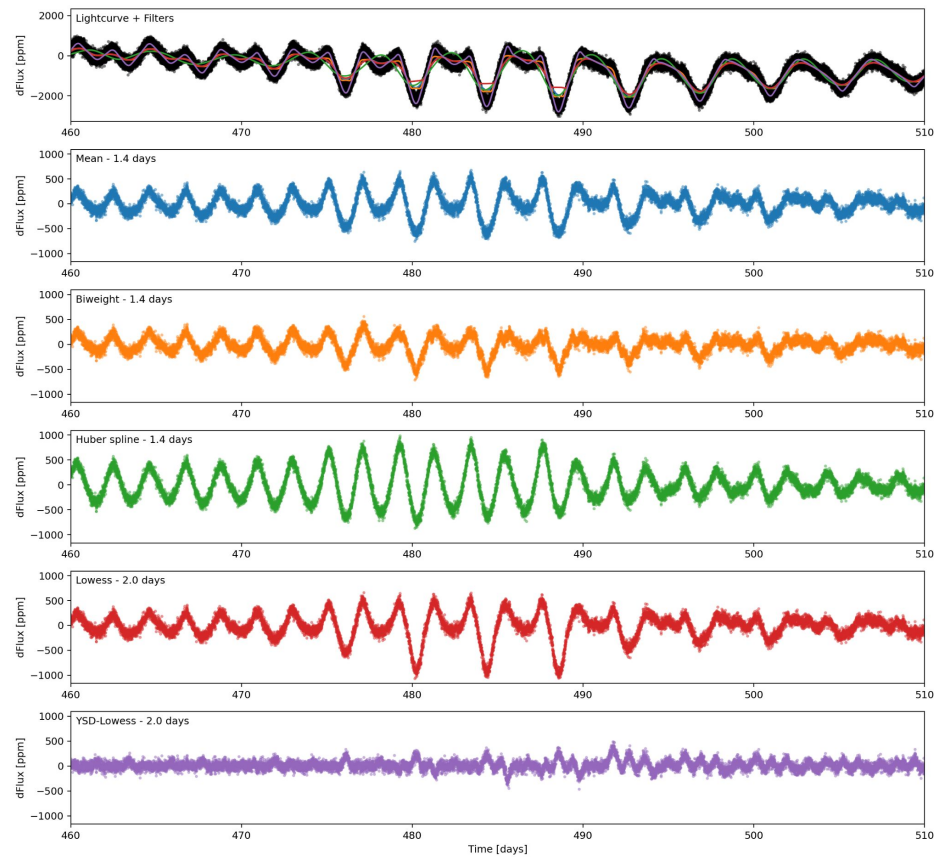
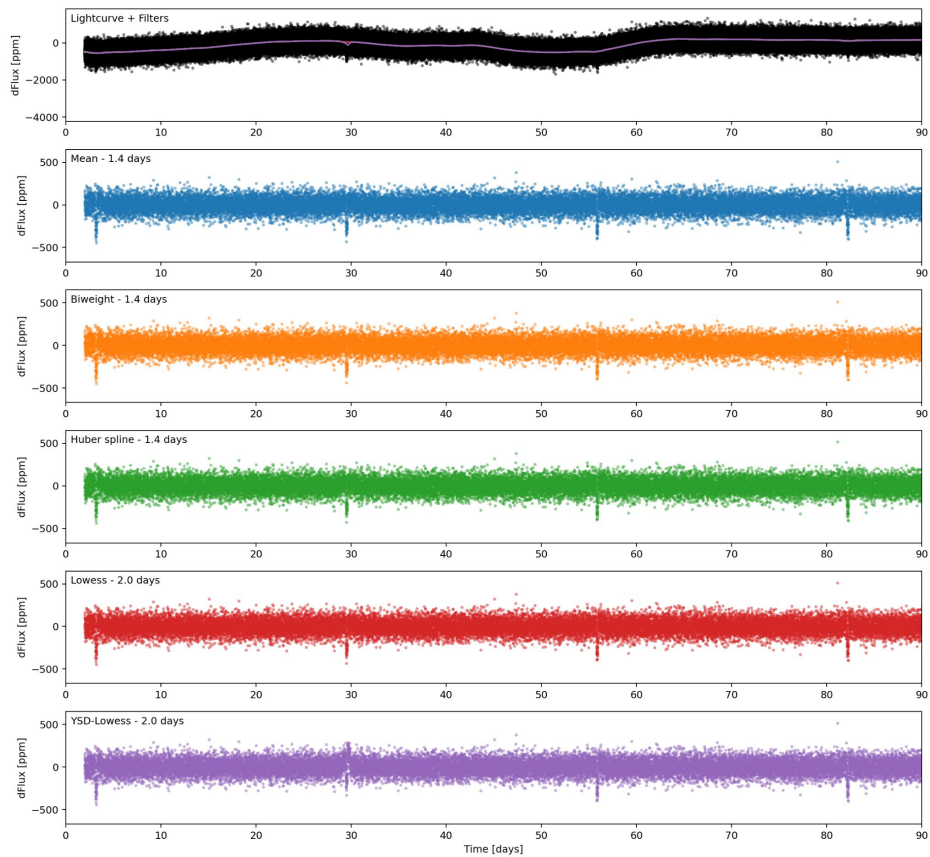
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# Lightcurve Filters: Mean, Biweight, Huber spline, Lowess, YSD-Lowess





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# Search Algorithms

Transit Least Squares (*Hippke et al. 2019*)

- Including some bug fixes.

CETRA (*Smith et al. 2025*)

- GPU implementation of TLS.
- EAS default.

Warped Least Squares

- Custom implementation of TLS.
- Uses filter-modified transit shapes.

TCF (*Caceres et al. 2019*)

- Part of the AutoRegressive Planet Search (ARPS).
- Searches the filtered lightcurve derivative.

nuance (*Garcia et al. 2024*)

- Uses simultaneous GP for the filter.

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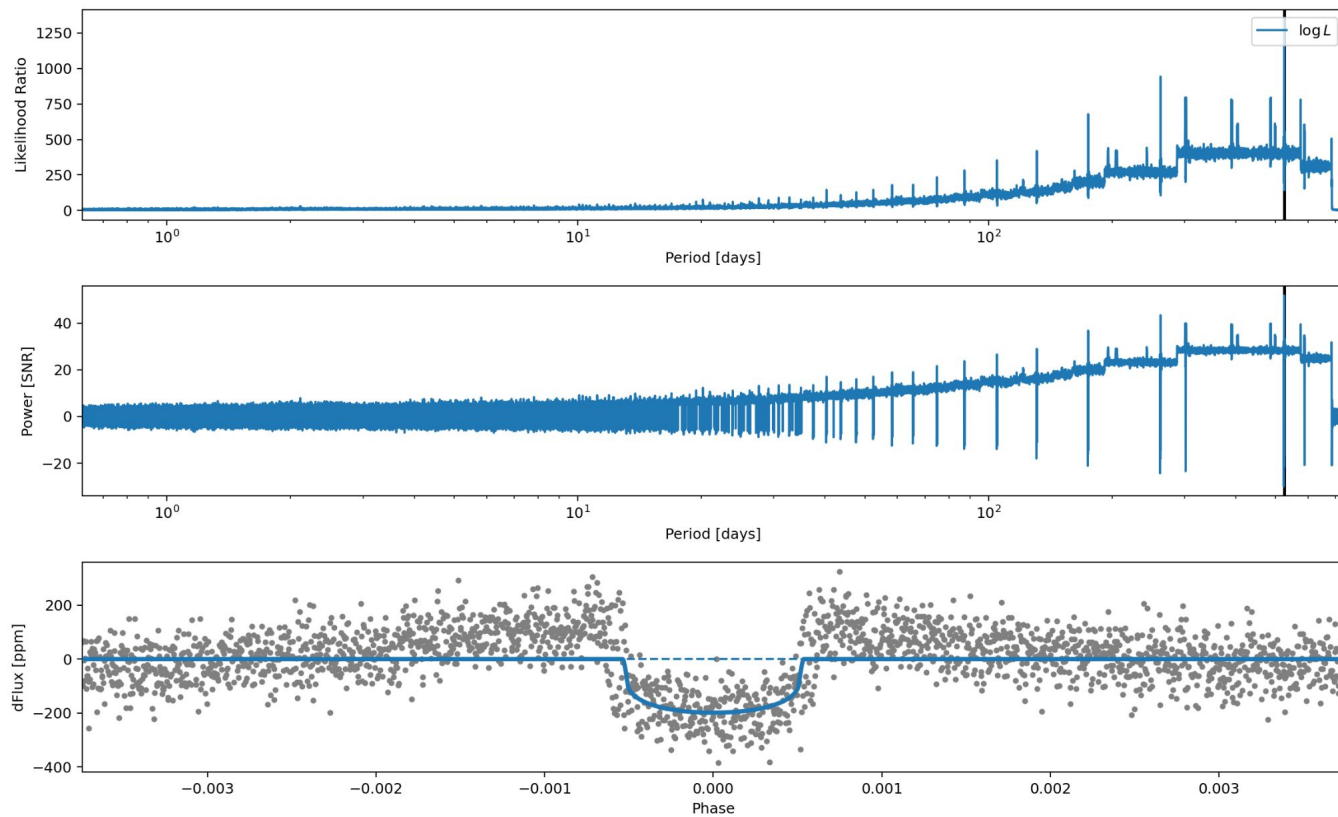
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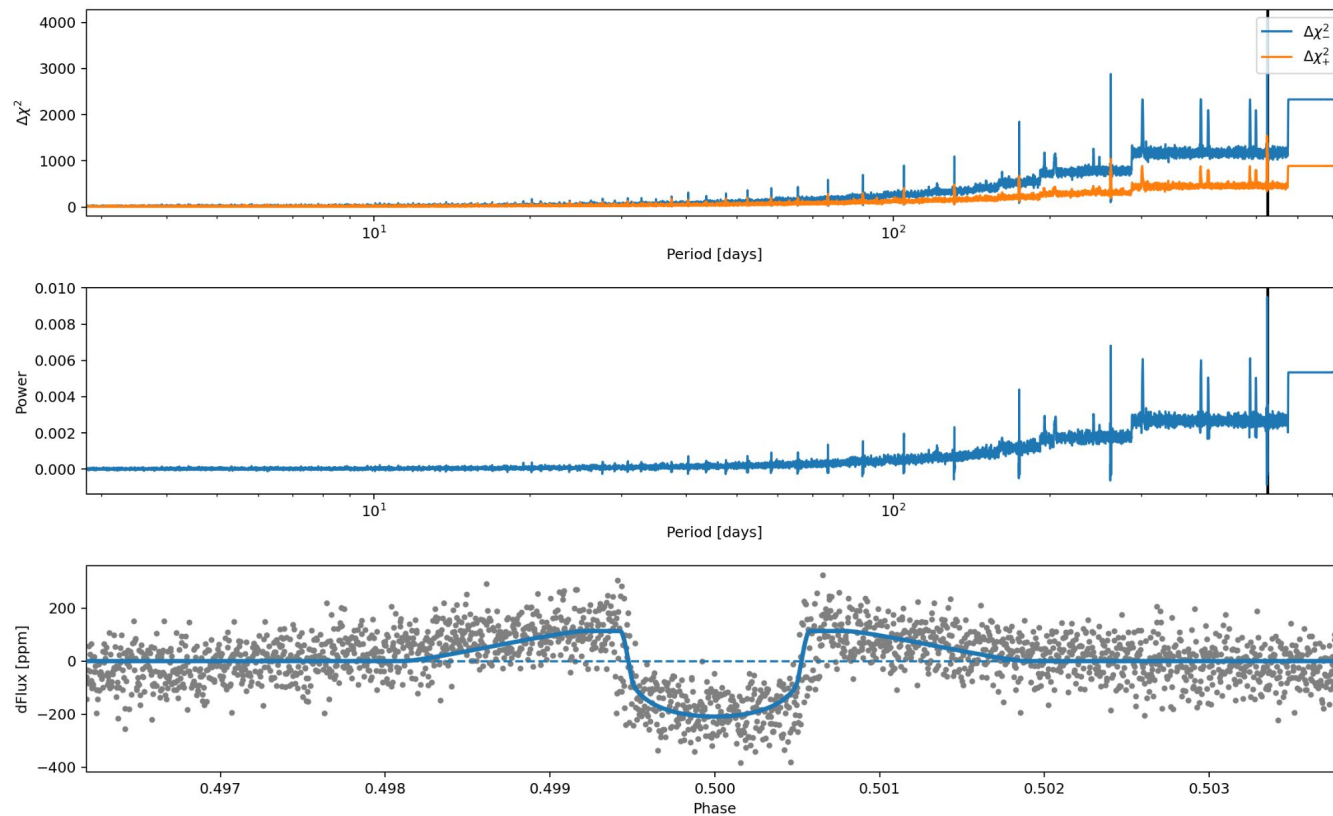
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# CETRA



# Warped Least Squares





# ARPS

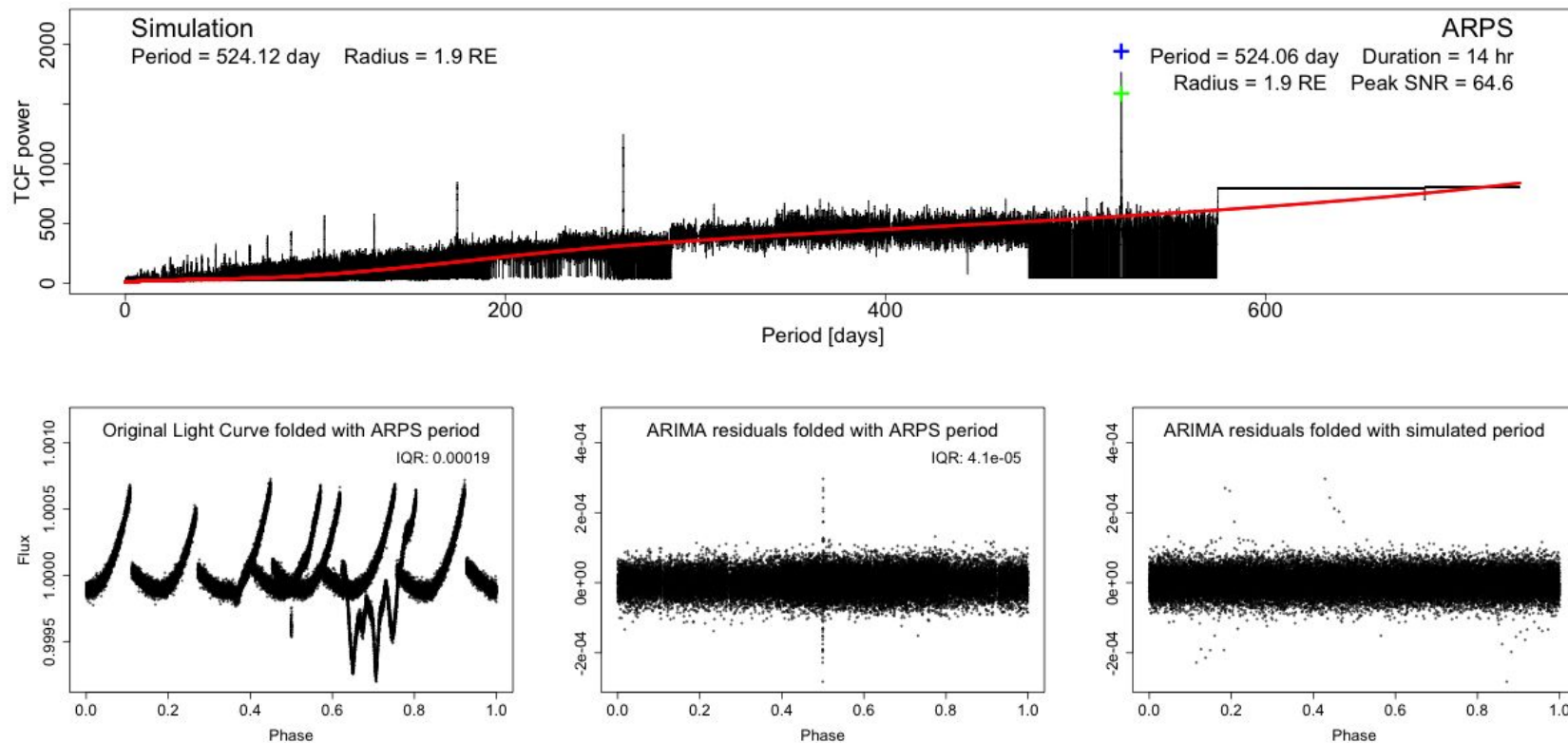


Figure: Montalto et al. in prep.

# What I call a recovery

- Periodic matches:

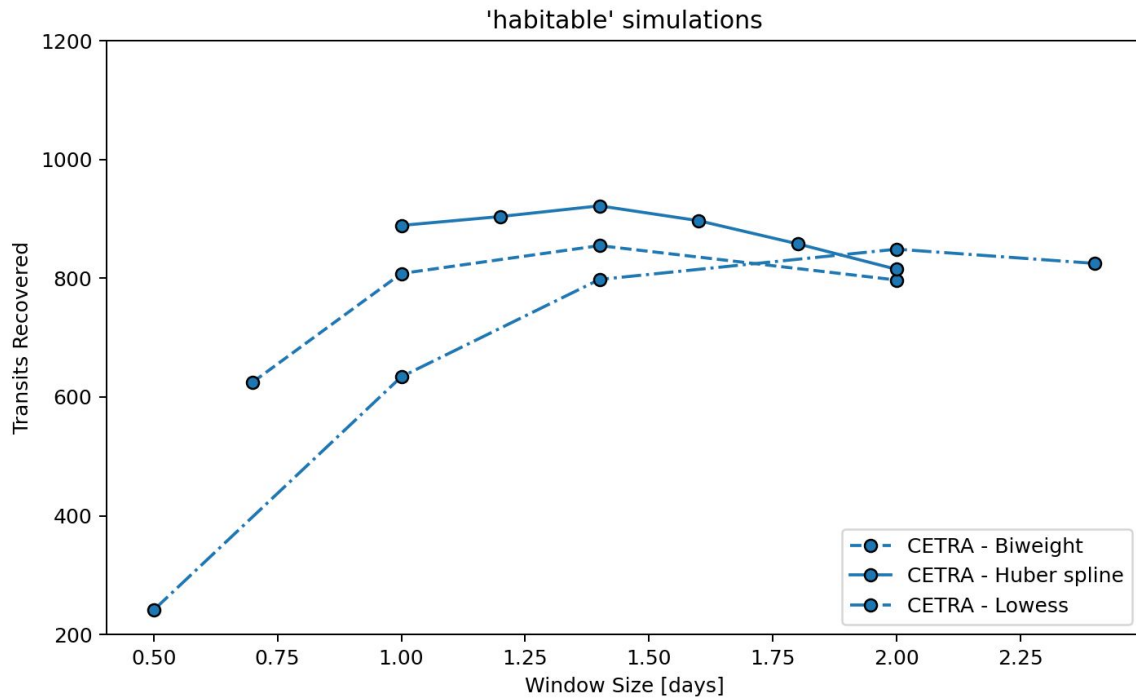
- $(P - P_{\text{rec}}) \times N_{\text{tr}} < 0.5 \times T_{14}$
- $(P - 0.5 \times P_{\text{rec}}) \times N_{\text{tr}} < 0.5 \times T_{14}$
- $(P - 2.0 \times P_{\text{rec}}) \times N_{\text{tr}} < 0.5 \times T_{14}$
- $(P - 3.0 \times P_{\text{rec}}) \times N_{\text{tr}} < 0.5 \times T_{14}$

- Non-periodic matches:

- $N_{\text{tr}} = 1, (T_0 - T_{\text{rec}}) < 0.5 \times T_{14}$
- $N_{\text{tr}} = 2, (T_0 - T_{\text{rec}}) < 0.5 \times T_{14}$
- $N_{\text{tr}} = 2, (T_0 + P - T_{\text{rec}}) < 0.5 \times T_{14}$

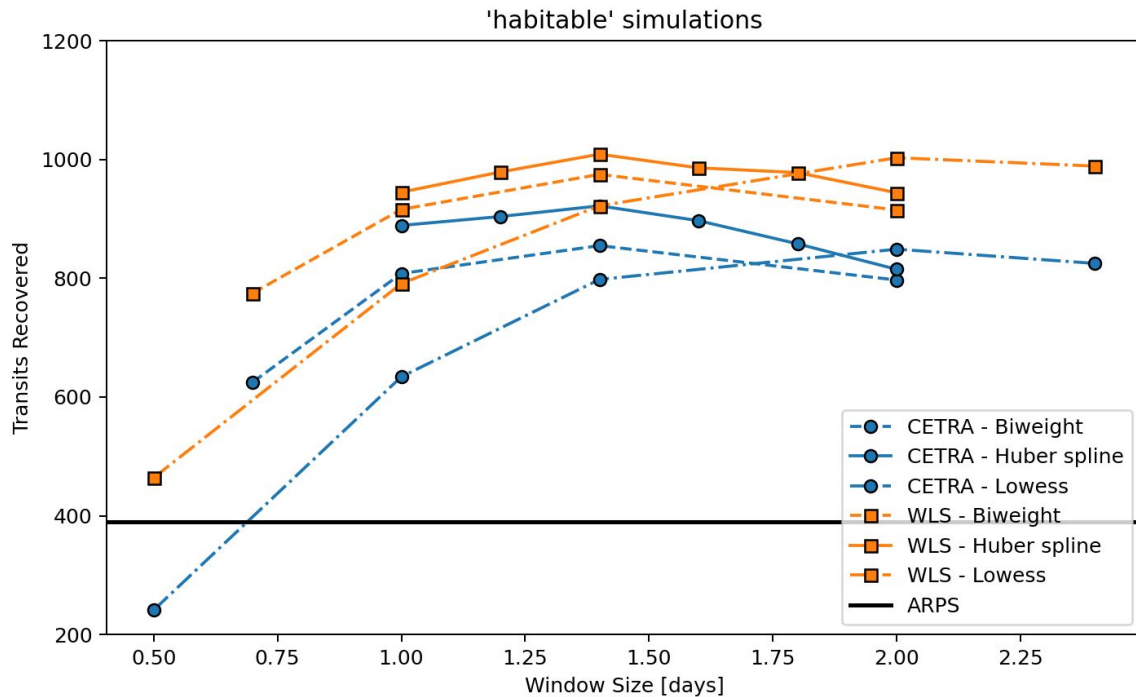
# Results

- Huber spline



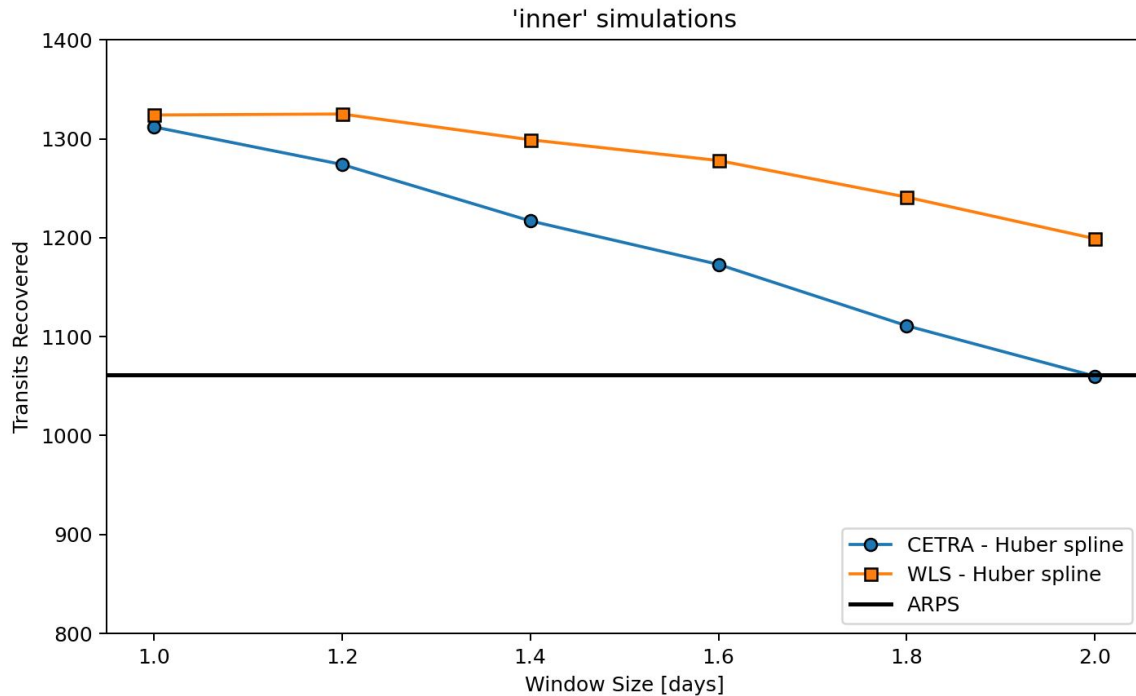
# Results

- Huber spline
- Warped models



# Results

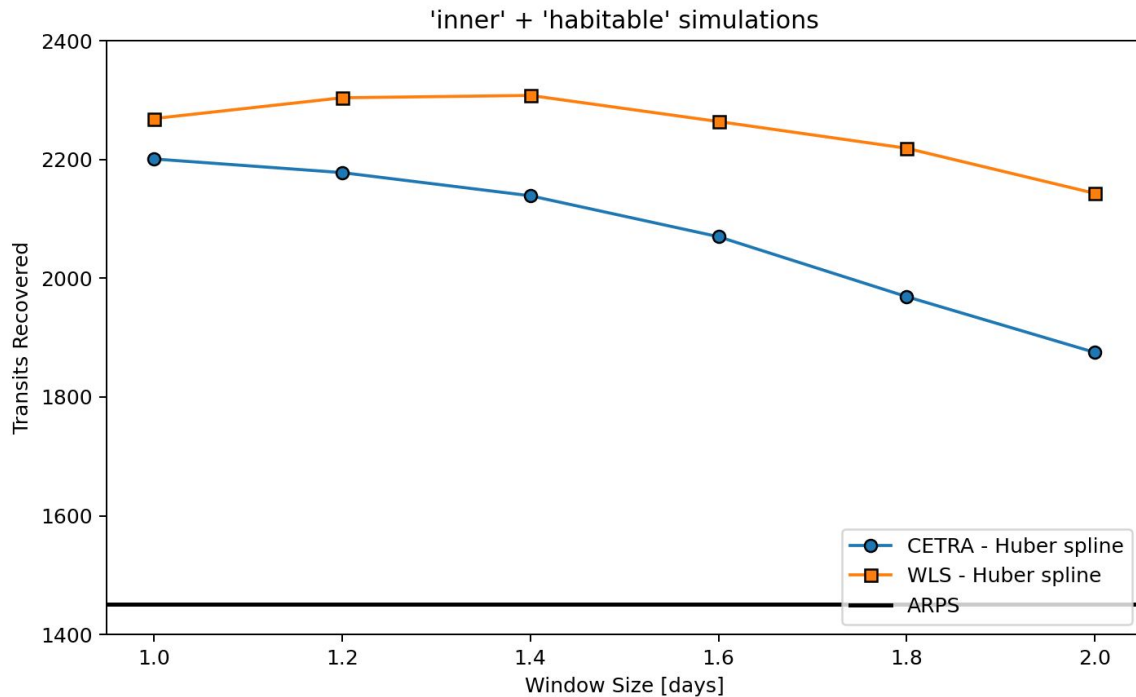
- Huber spline
- Warped models
- Test shorter windows





# Results

- Huber spline
- Warped models
- Test shorter windows
- Window size unclear



# Results

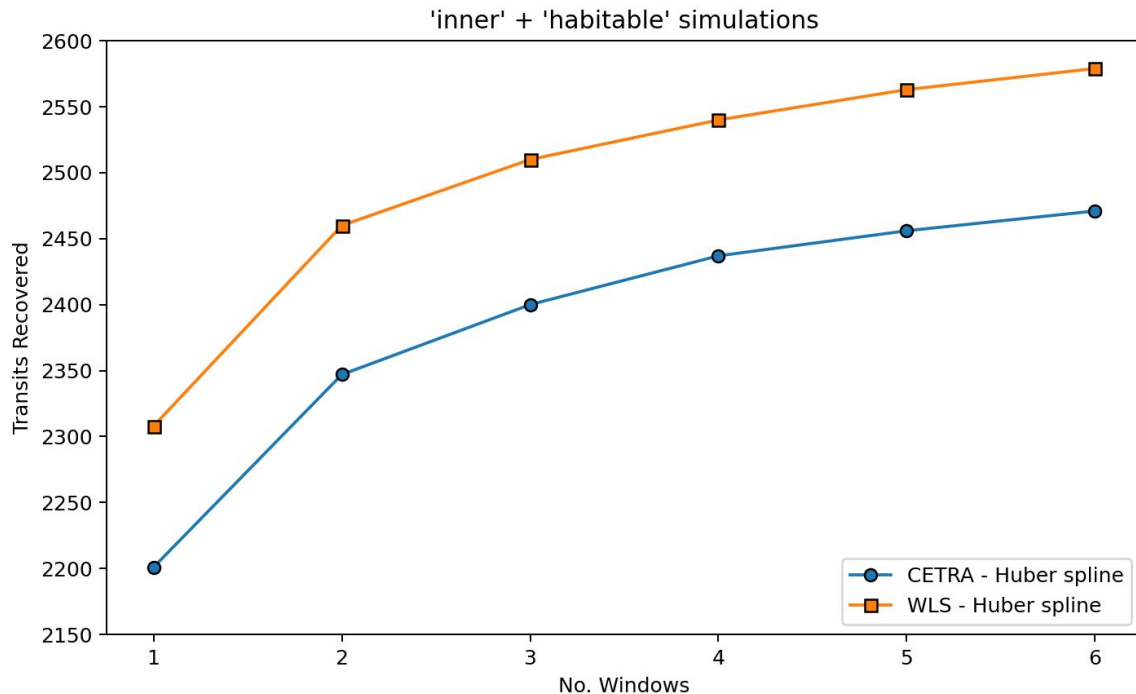
Best single window:

CETRA

- 1.0 day
- 2201 of 4000 signals

WLS

- 1.4 day
- 2308 of 4000 signals



# Results

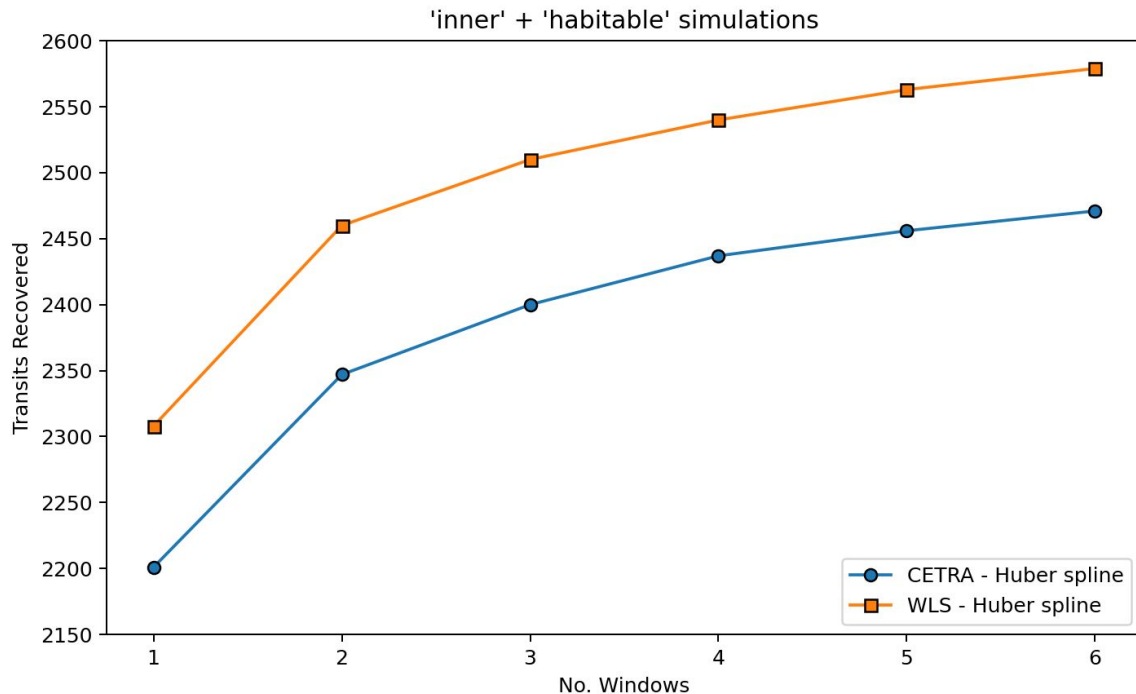
Best three windows:

CETRA

- 1.0, 1.4, 1.8 days
- 2400 of 4000 signals

WLS

- 1.0, 1.4, 1.8 day
- 2510 of 4000 signals



# Next steps

- Run/analyse additional filters.
- Comparison with nuance.
- Test the effect of binning.
- Investigate the effect of SDE/SNR cuts.
- Tests with high impact parameter searches.

# Conclusions

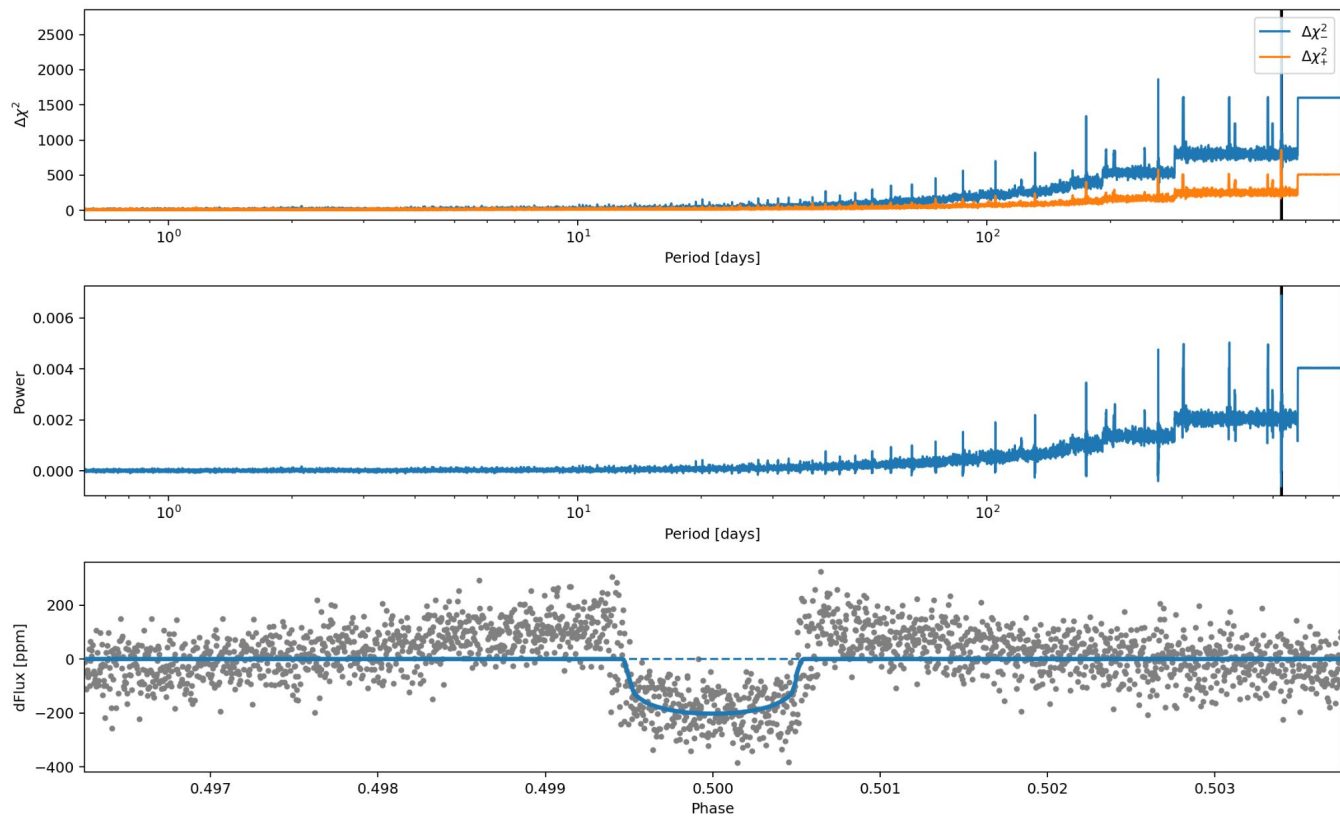
- The best filter to use (so far) is a **Huber spline**.
  - The optimal window may be dependent on the algorithm.
  - Combining filters sees meaningful gains in recovered signals.
- **Warping** the transit signal to match the filter sees significant gains.
  - Ongoing work to implement and test this in CETRA.
- **Transit depth** drives missed signals, followed by **impact parameter**.
  - Only 50-60% of 'habitable' sample is recovered.
  - Around 70% of 'inner' signals are recovered.

# Bonus Slides

# (Un)Warped Least Squares

882 of 'habitable' transits  
recovered.

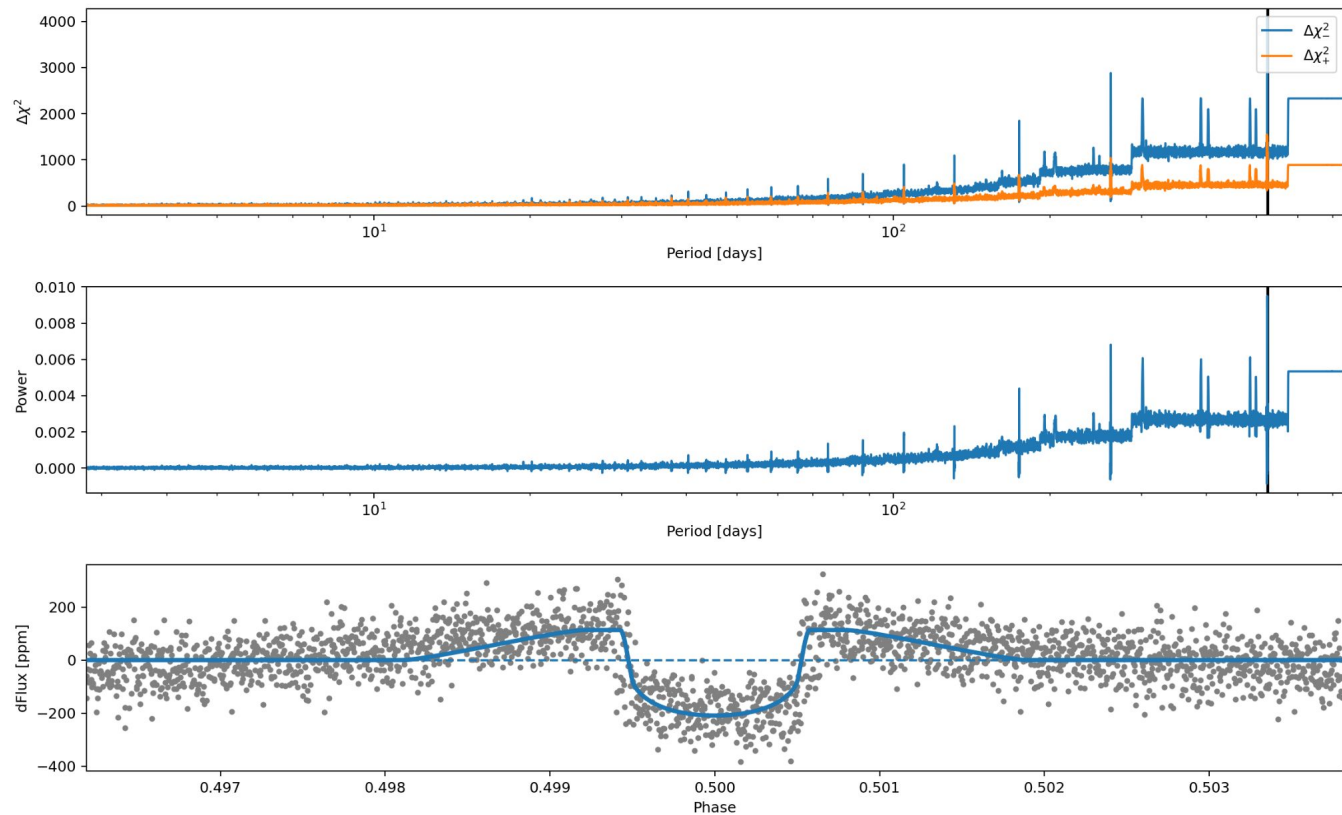
CETRA: 922



# Warped Least Squares

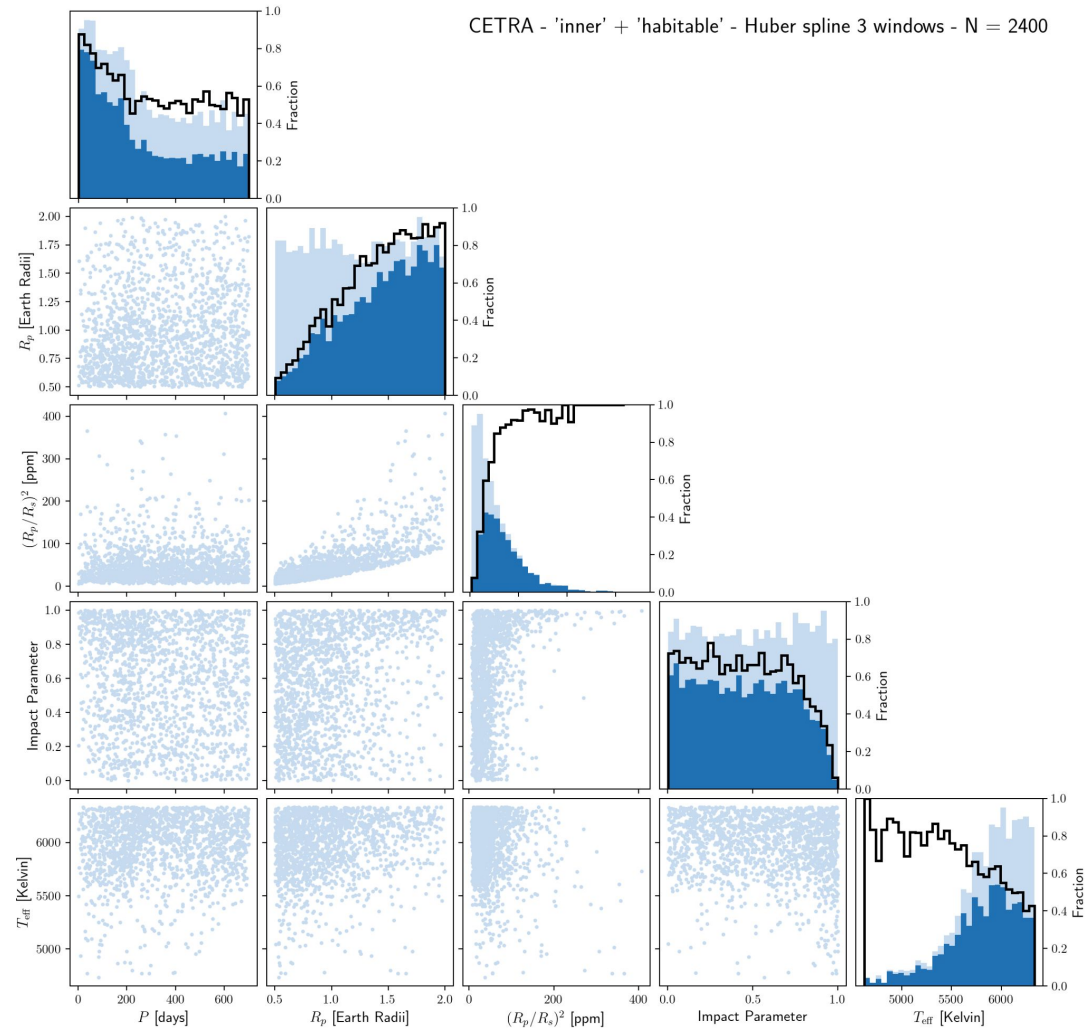
1009 of 'habitable' transits  
recovered.

CETRA: 922

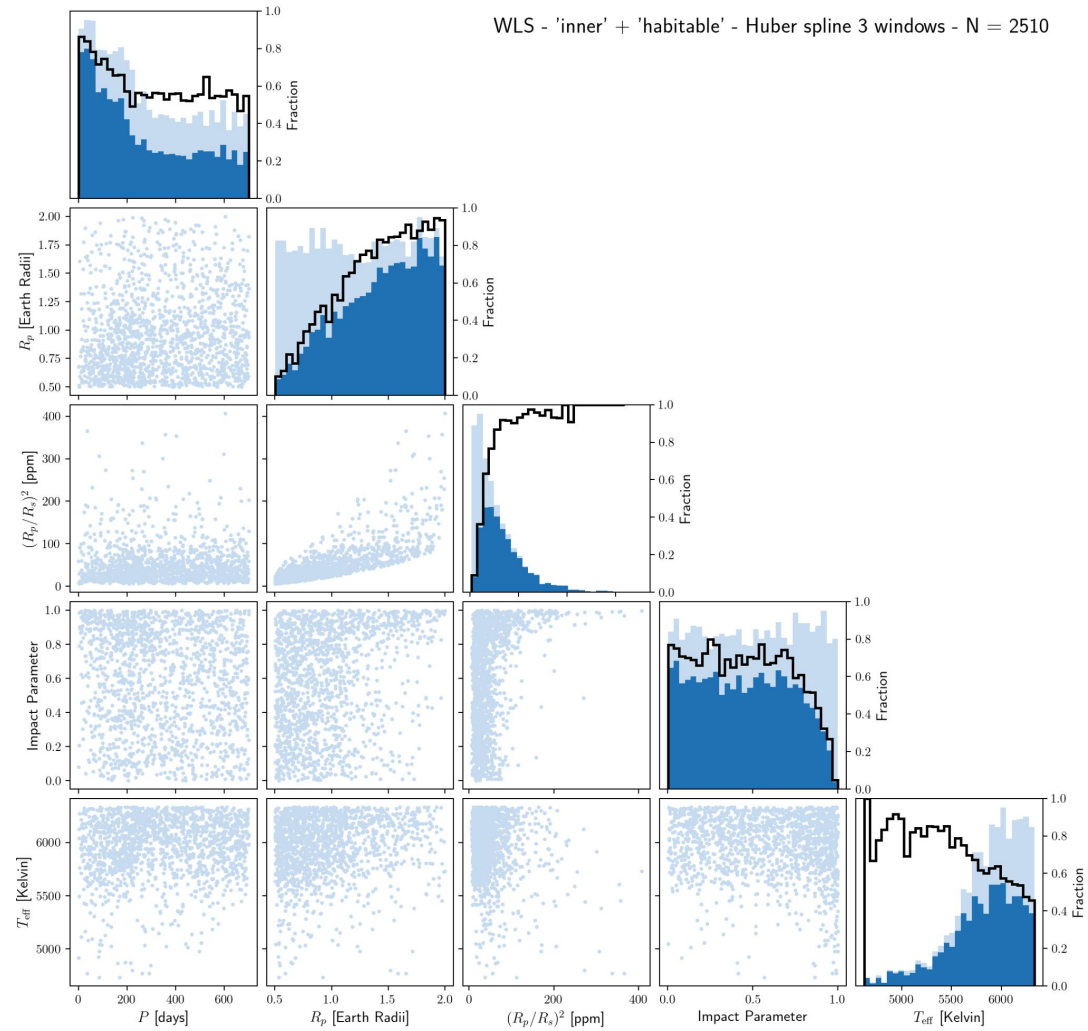




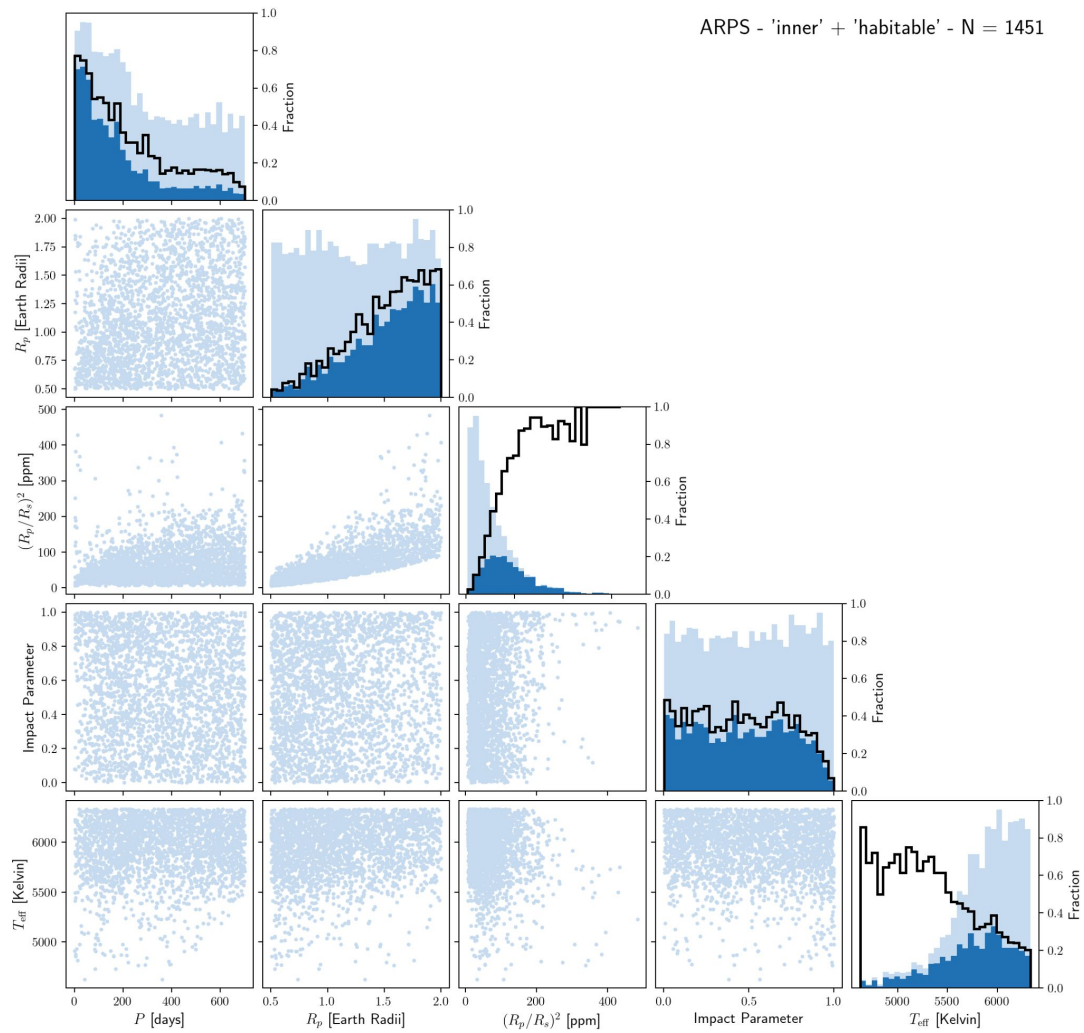
CETRA - 'inner' + 'habitable' - Huber spline 3 windows - N = 2400



WLS - 'inner' + 'habitable' - Huber spline 3 windows - N = 2510



ARPS - 'inner' + 'habitable' - N = 1451



# WLS Power

GLS, BLS/TLS (+ empirical scaling)

$$\Delta\chi(P) = \chi_0 - \chi(P)$$

$$\mathbf{P} = \Delta\chi(P)/\chi_0$$

WLS

$$\Delta\chi(P) = \chi_+(P) - \chi_-(P)$$

$$\mathbf{P} = \Delta\chi(P)/\chi_+(P)$$

# Search speed

